

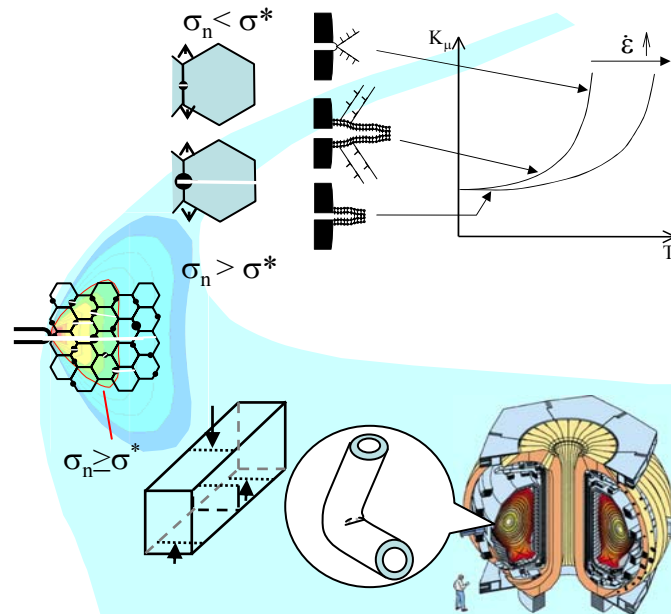
# Cleavage Fracture in the Brittle to Ductile Transition: A Multiscale Approach

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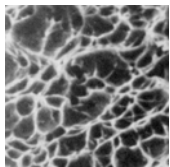
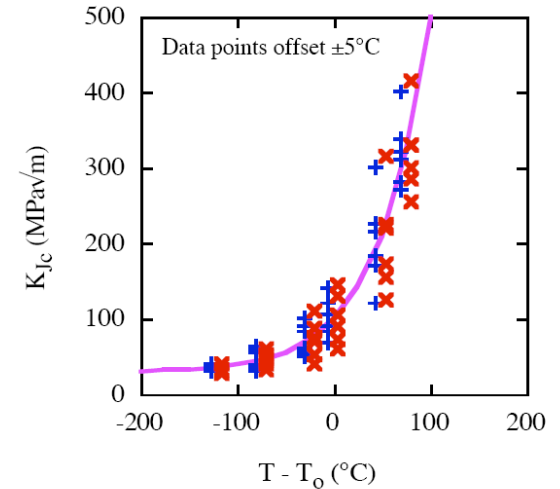
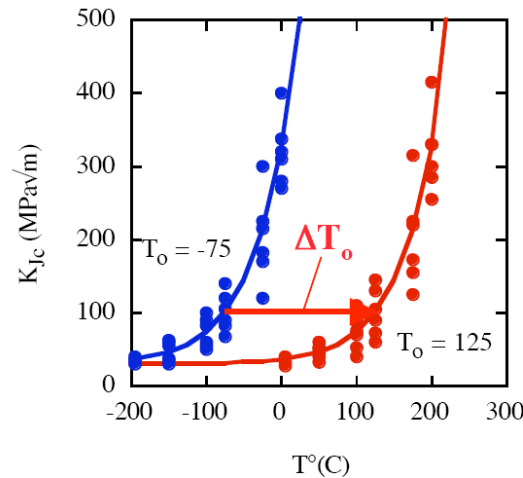
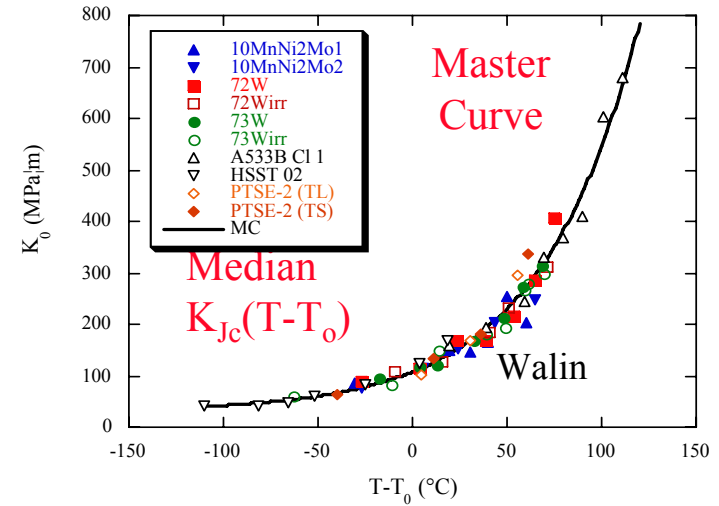
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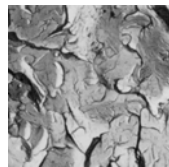
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# Outline

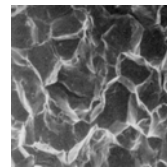
- Focus on cleavage fracture in brittle to ductile (BDT) transition in bcc alloys:
  - characterize resistance to crack propagation by fracture toughness  $K_{Jc}(T)$
  - apparent universal  $K_{Jc}(T-T_0)$  curve shape
  - neutron embrittlement
  - size-geometry effects measured toughness
  - statistical effects and intrinsic scatter



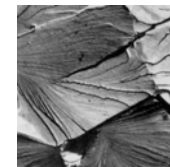
microvoid coalescence



quasi-cleavage



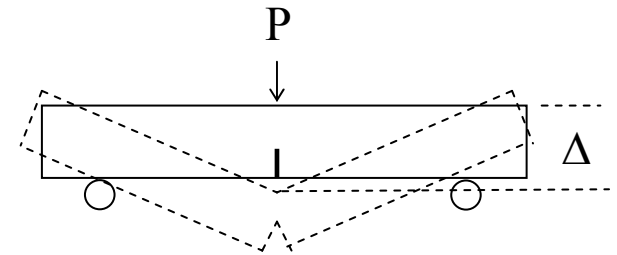
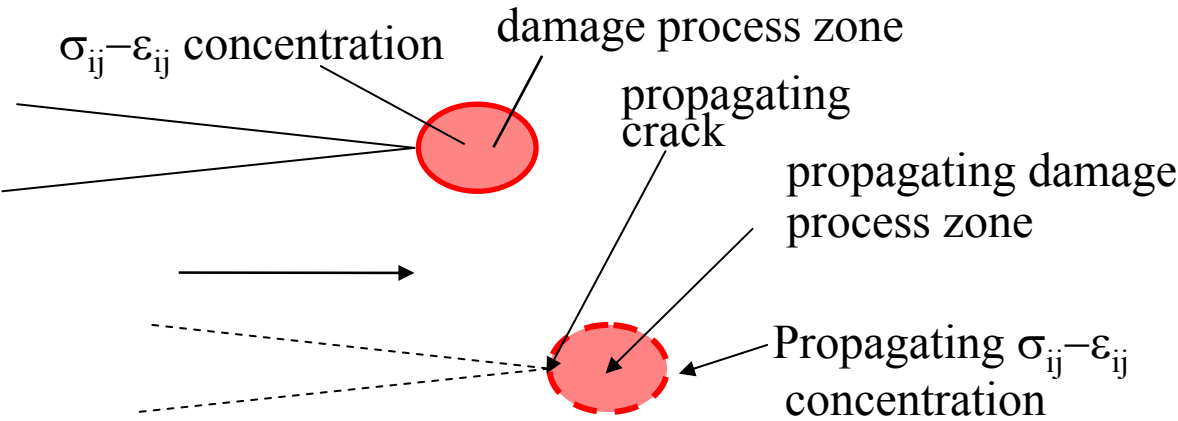
intergranular



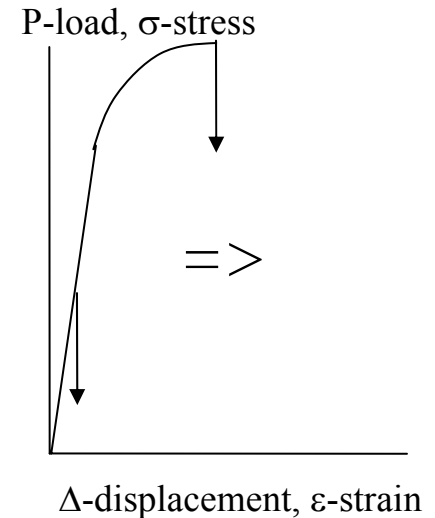
transgranular cleavage

# Fracture and Fracture Toughness

- Fracture - failure by crack propagation with damage => material separation in high  $\sigma$ - $\varepsilon$  crack tip process zone



- Relate applied  $P(\sigma)$ - $\Delta(\varepsilon)$  => loading parameter like  $K_I$  => crack tip fields  $\sigma_{ij}(r,\theta)$
- Coupon tests => *fracture toughness*\*  $K_{Ic}$  fracture  $P(\sigma)$ - $\Delta(\varepsilon)$  in complex structures.



Linear Elastic Fracture Mechanic SIF

$$K_I = \sigma_a f(\text{geometry}) \sqrt{\text{crack length}}$$

\*many types

# Classical Fracture Mechanics

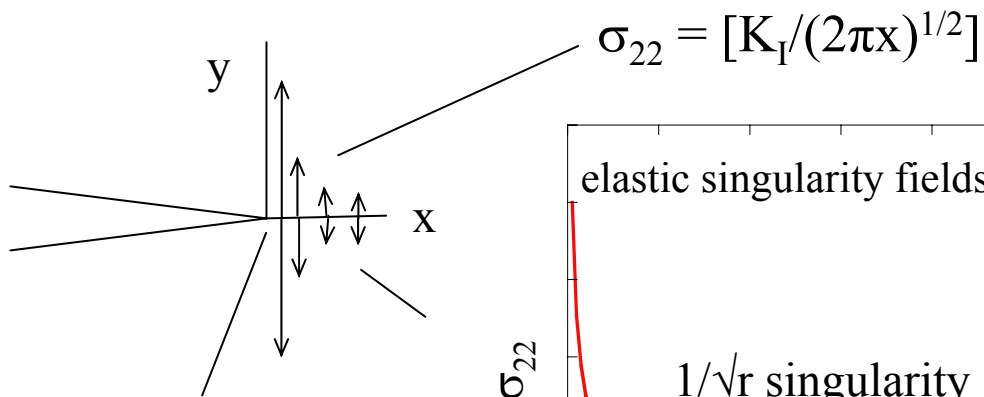
- *Computable load parameter* - like elastic stress intensity factor  $K_I \Rightarrow$  characterize *crack tip dominated* fields

## LEFM

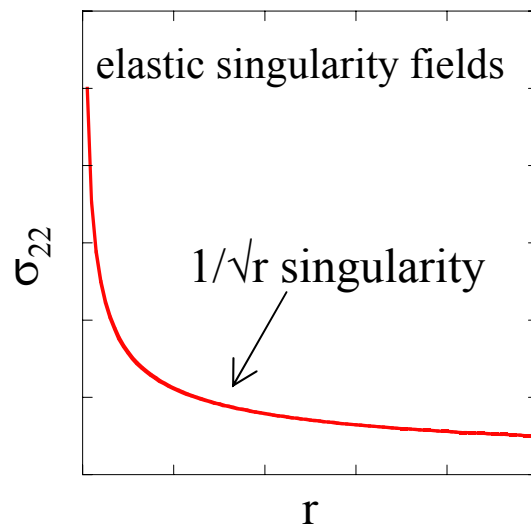
$$K_I^* = \sigma_a f(\text{geometry}) \sqrt{\text{crack length}}$$

$$K_I (\text{structure at fracture}) = K_{Ic} (\text{coupon - material property})$$

$$\sigma_f = [f(\text{geometry})K_{Ic}] / [\sqrt{\text{crack length}}]$$



Same fields at same  $K_I$  and  $K_{Ic}$



specimen



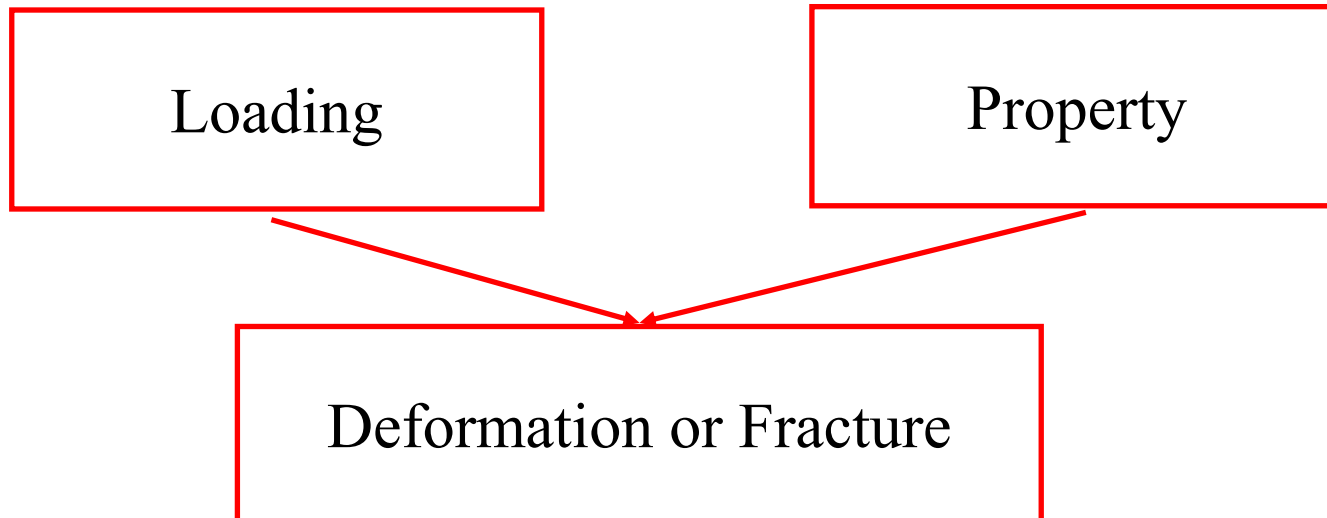
structure



\*Mode 1 (opening)  
plain strain  
sharp fatigue crack

# $K_I$ versus $K_{IC}$

- $K_I$  is like an applied stress in a tensile test - a measure of the loading on a cracked body
- $K_{IC}$  is like the yield stress in a tensile test - under limited conditions - it is a material “property” specifying the condition for crack propagation



# Elastic Fields and Stress Intensity Factor

## Mode I

$$\sigma_{xx} = \frac{K_I}{\sqrt{2\pi r}} \cos\left(\frac{\theta}{2}\right) \left[ 1 - \sin\left(\frac{\theta}{2}\right) \sin\left(\frac{3\theta}{2}\right) \right]$$

$$\sigma_{yy} = \frac{K_I}{\sqrt{2\pi r}} \cos\left(\frac{\theta}{2}\right) \left[ 1 + \sin\left(\frac{\theta}{2}\right) \sin\left(\frac{3\theta}{2}\right) \right]$$

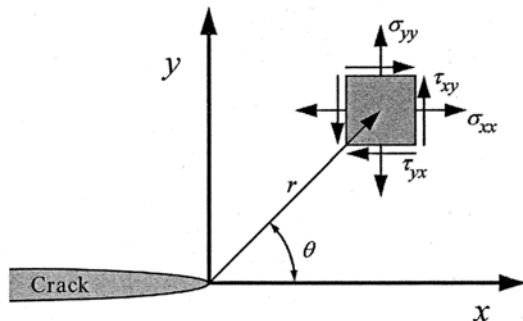
$$\tau_{xy} = \frac{K_I}{\sqrt{2\pi r}} \cos\left(\frac{\theta}{2}\right) \sin\left(\frac{\theta}{2}\right) \cos\left(\frac{3\theta}{2}\right)$$

$$\sigma_{zz} = 0 \text{ (Plane stress)}$$

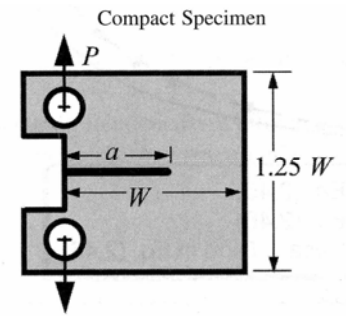
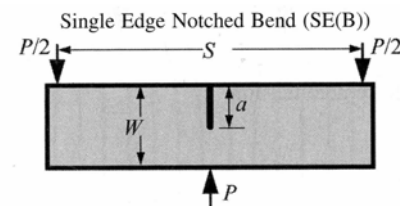
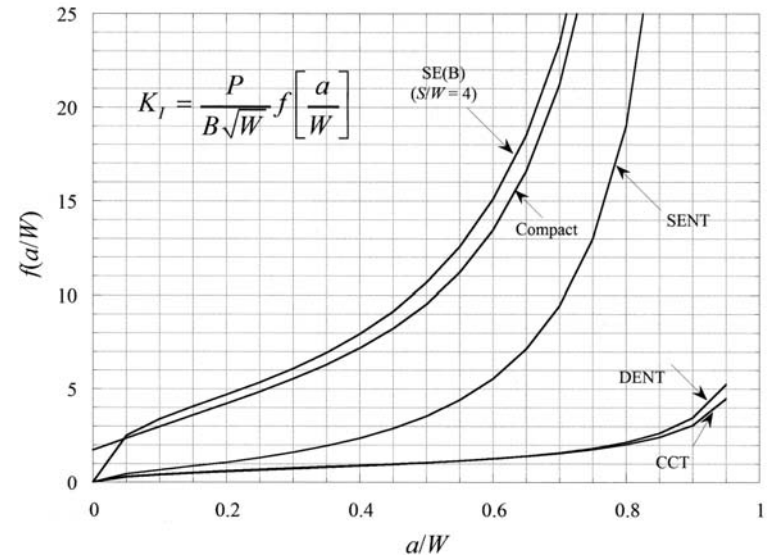
$$v(\sigma_{xx} + \sigma_{yy}) \text{ (Plane strain)}$$

$$\tau_{xz}, \tau_{yz} = 0$$

Note:  $v$  is Poisson's ratio.



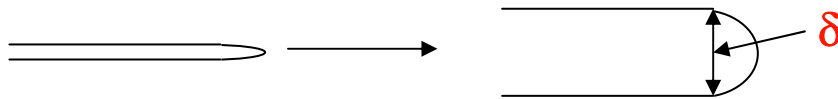
$$\text{SIF: } K_I = \frac{P}{B\sqrt{W}} f \left[ \frac{a}{W} \right]$$



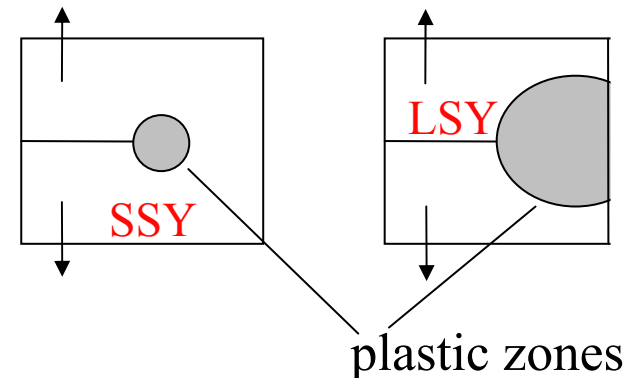
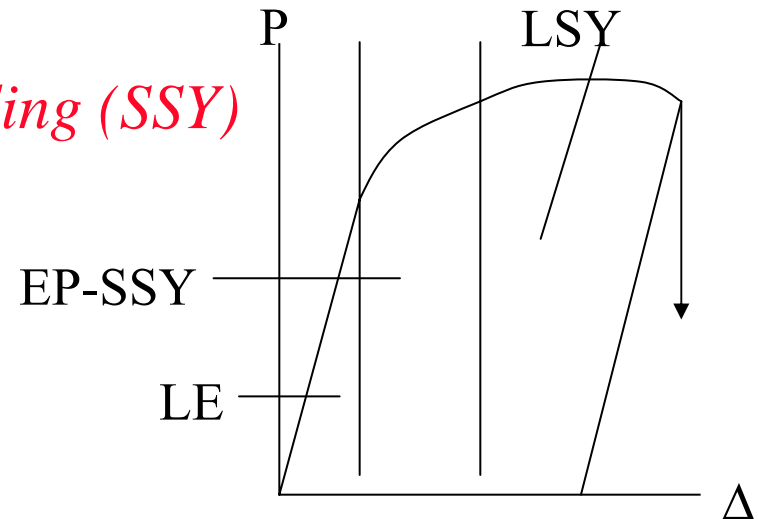
# Effects of Plasticity

- Elastic fields occur only in most brittle materials
- Non-linear processes => plastic zone-blunting => reduce fields
- Measured-computed elastic-plastic  $K_J$  and  $\delta$  still valid for *small scale yielding (SSY)*
  - small embedded plastic zones
  - deep cracks in bending
  - high strain hardening helps

**$\delta$  - crack tip opening displacement**



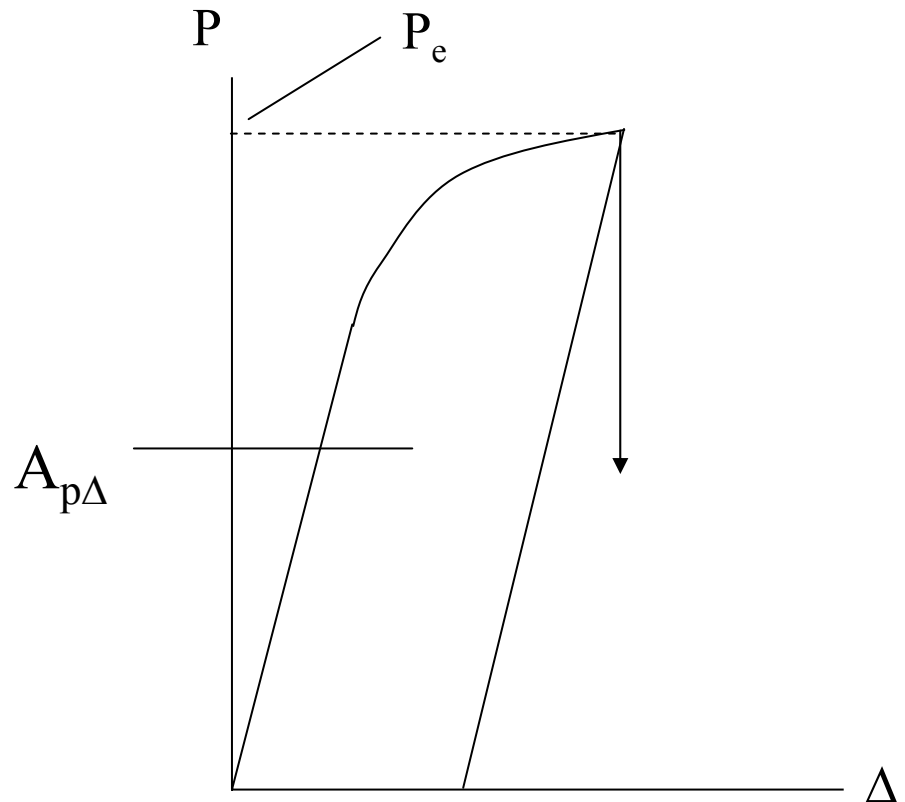
**Fracture at:  $K_J = K_{Jc}$  and  $\delta = \delta_c$**



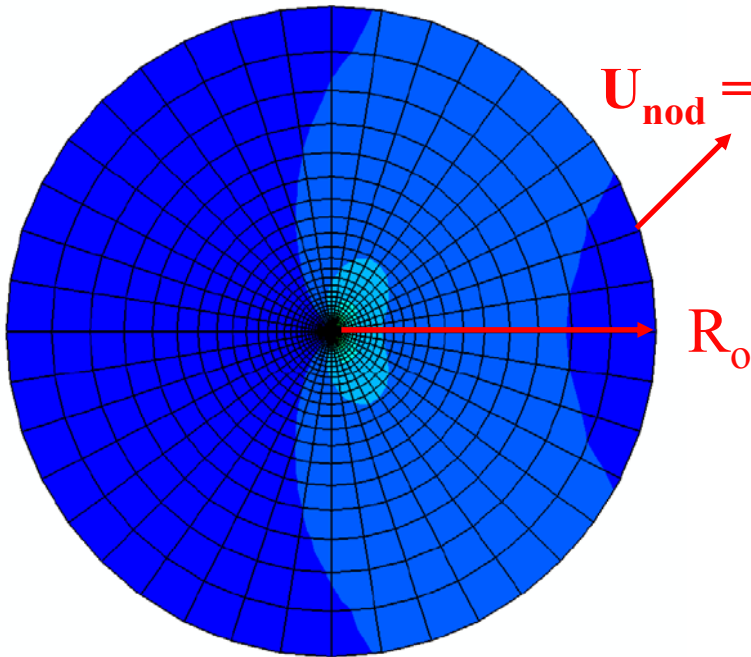


# $K_{Jc}$

- Elastic-plastic J-integral:  $J \cong 2\sigma_y\delta$
- $K_J = [E'J]^{1/2}$
- $J = J_{el} + J_{pl}$
- $J_{el} = K_I^2/E' = f(a, P_e)$
- $J_{pl} = \eta A_{p\Delta}/bB$

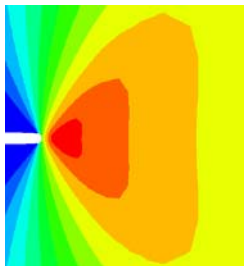


# Small Scale Yielding (SSY) Fields



- Pure boundary layer model: stresses (and displacements) at the nodes on the boundary  $R_0$  are defined by  $K$  and  $\theta$  only:

$$\sigma_{ij, boundary}(K, \theta) = \frac{K}{\sqrt{2\pi R_0}} f_{ij}(\theta)$$



$\sigma_{22}$  at the crack tip

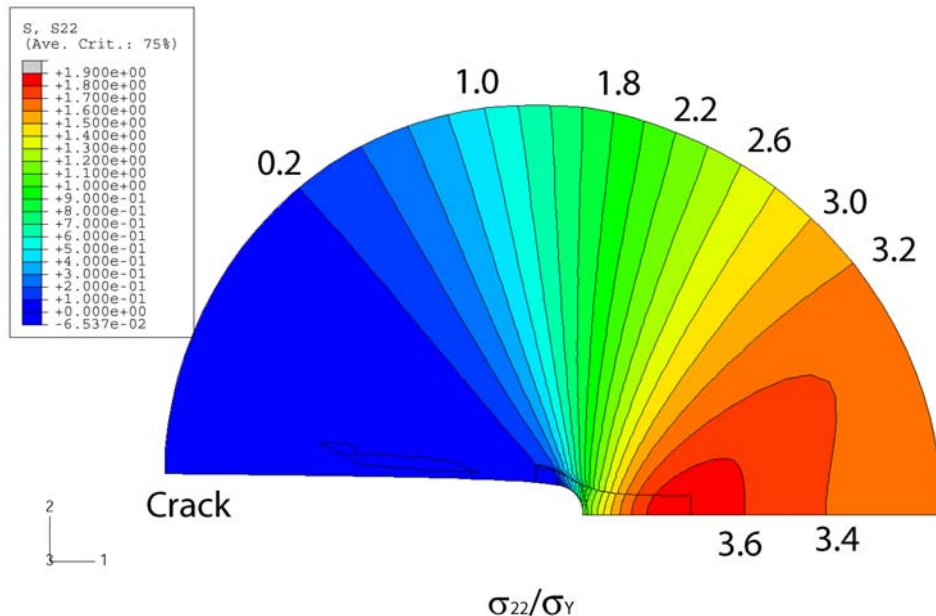
Stress at any point:  $\sigma_{ij} = \sigma_{ij}(r, \theta, K, \sigma_y, \sigma_{pl}(\epsilon))$

Dimensional analysis and Buckingham theorem yield:

$$\sigma_{ij}/\sigma_y = [\sigma_{ij}(r/K^2/\sigma_y^2, \theta, \sigma_{pl}(\epsilon)/\sigma_y)]/\sigma_y$$

# Small Scale Yielding (SSY) Fields

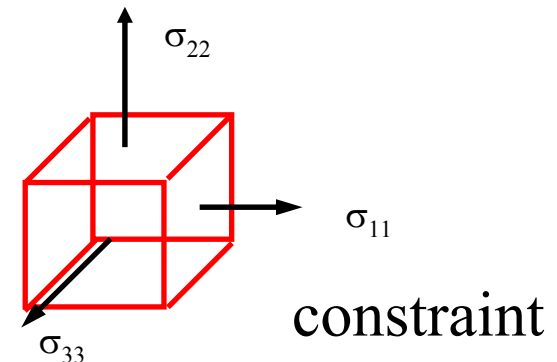
- Deep cracks with T stress field = 0
- SSY fields - self-similar in  $r/\delta$  ( $\delta \approx 0.5K_J^2/\sigma_y E'$ )
- The  $\sigma_{ij}$  stress fields and  $K_J$  functions of material  $\sigma(\epsilon, T, \epsilon')$
- Finite element (FE) simulations of  $\sigma_{ij}[r/\delta, \theta, \sigma(\epsilon), \delta]$
- Peak  $\sigma_{22\max}/\sigma_y = 3-5$  for plane- $\epsilon$  SSY



Constraint Effects -  
Tresca yielding @

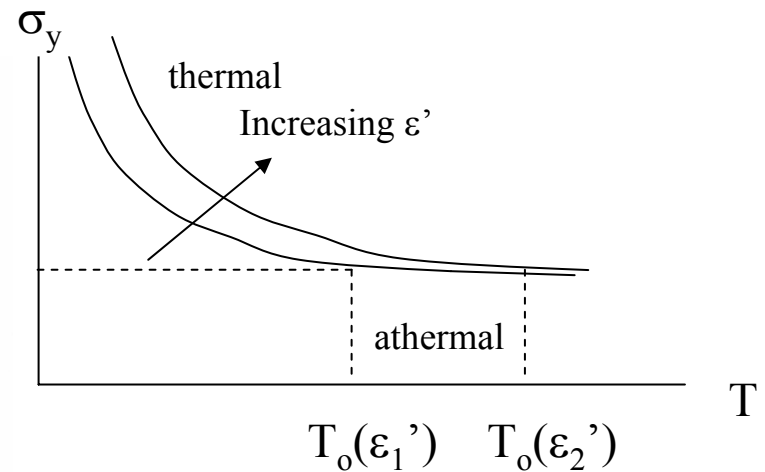
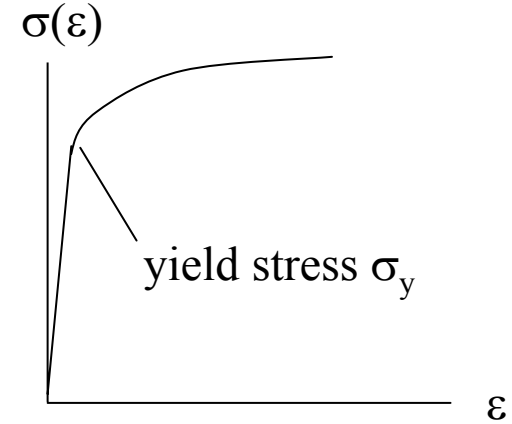
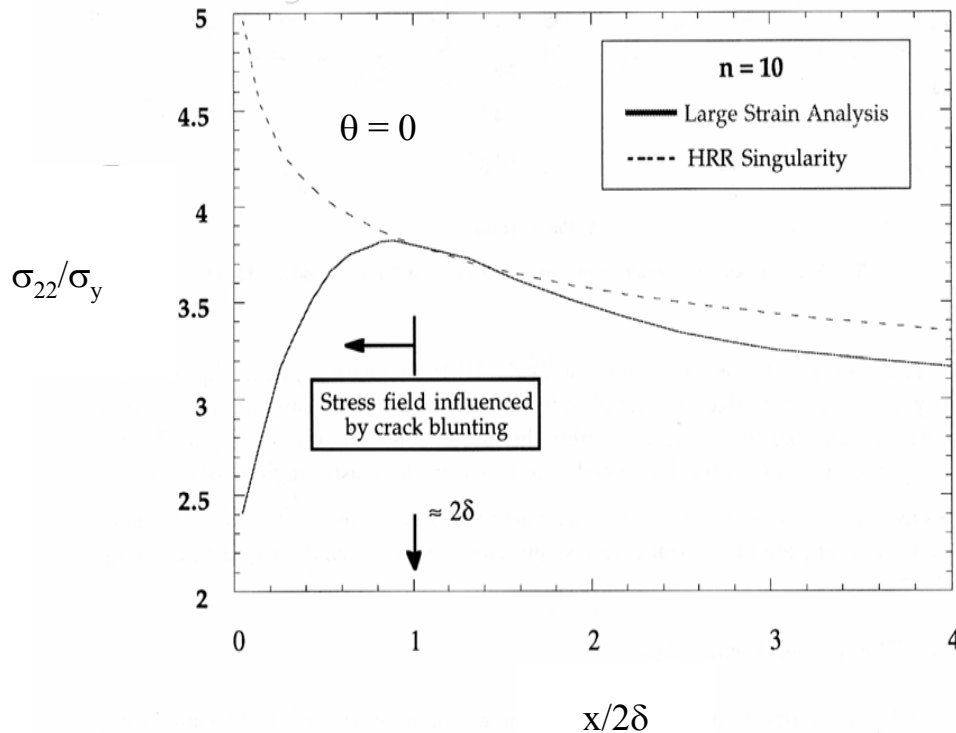
$$\sigma_{\max} - \sigma_{\min} > \sigma_y$$

$$\sigma_{\max} \gg \sigma_y \text{ for large } \sigma_{\min}$$



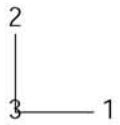
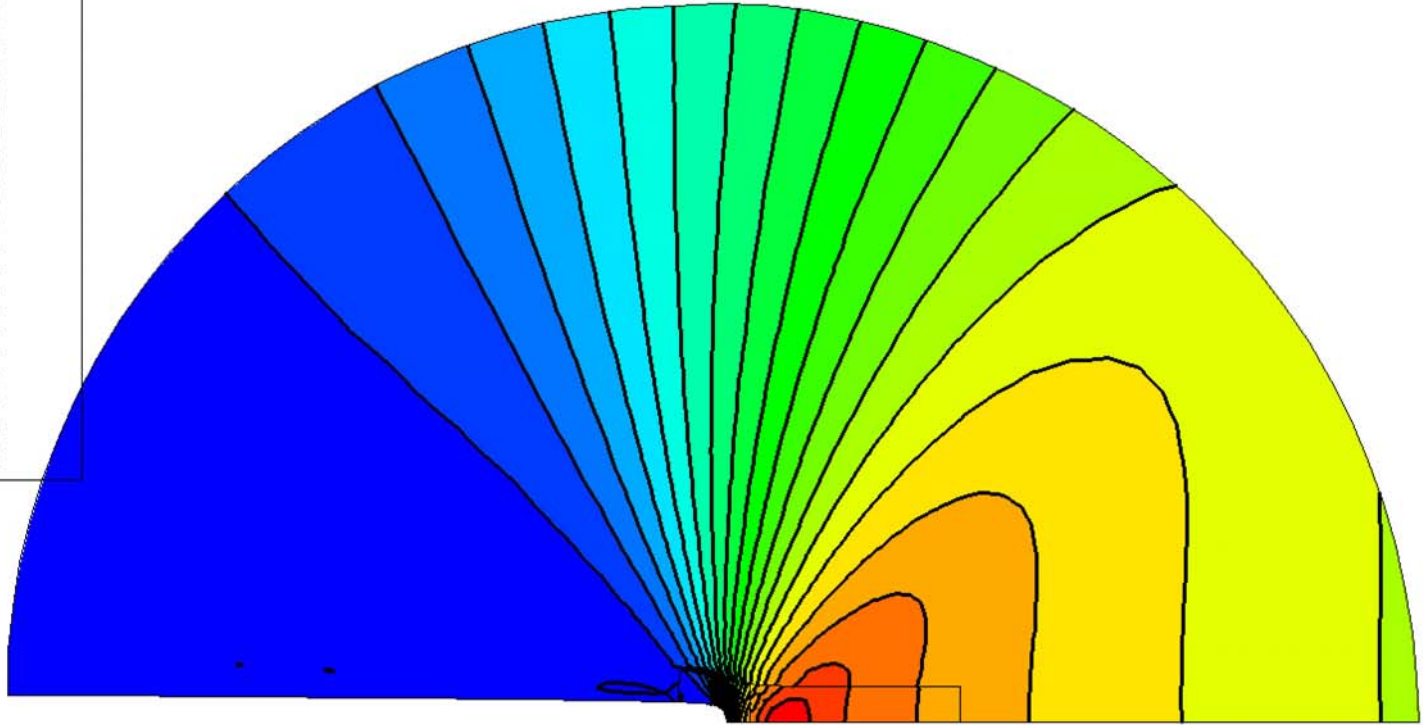
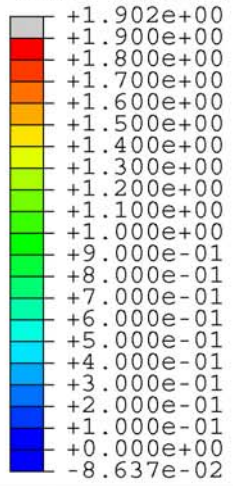
# Small Scale Yielding (SSY) Fields

- High  $\sigma_{22}$  required for cleavage
- Critical  $\sigma_{22} = \sigma^*$  over a critical volume -  $V^*$



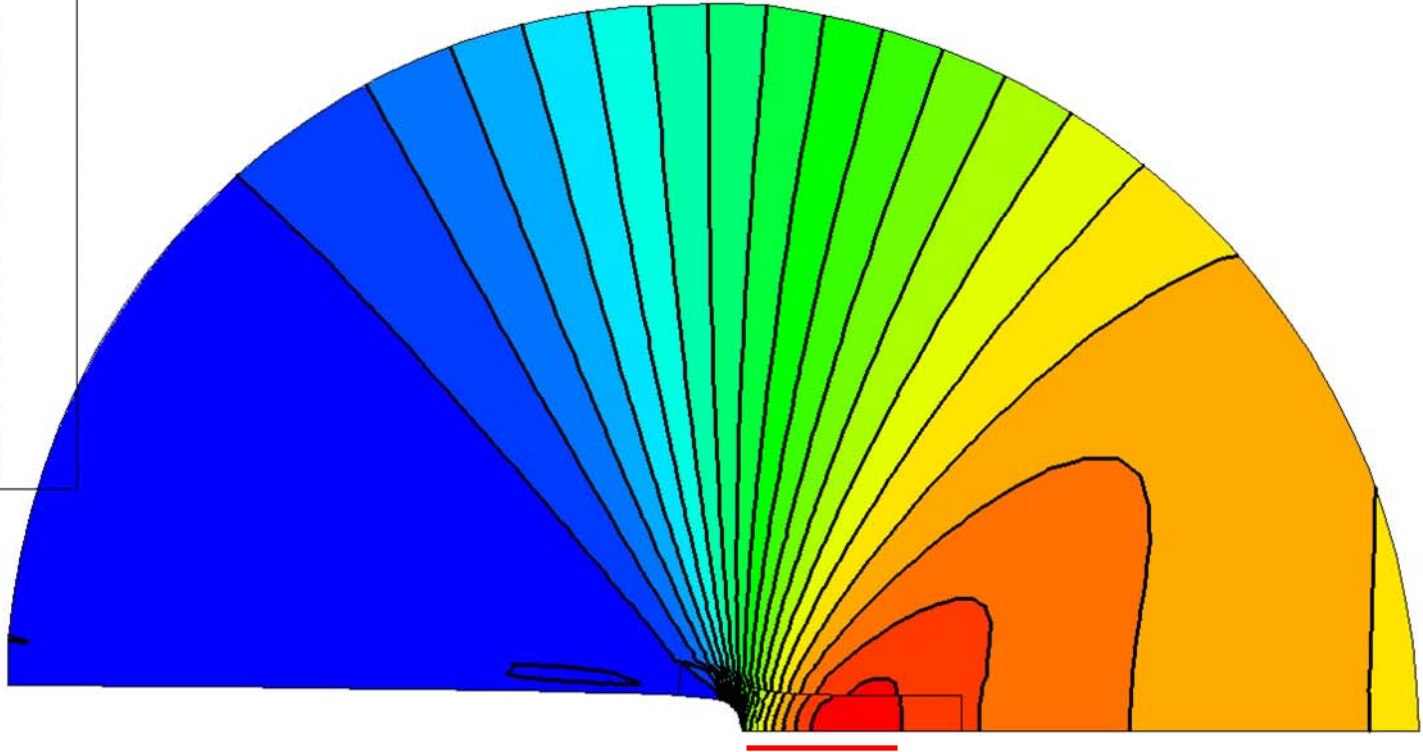
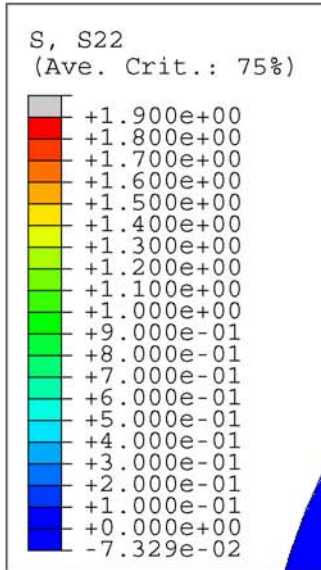
COD= $8\rho_0$

S, S22  
(Ave. Crit.: 75%)



1

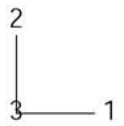
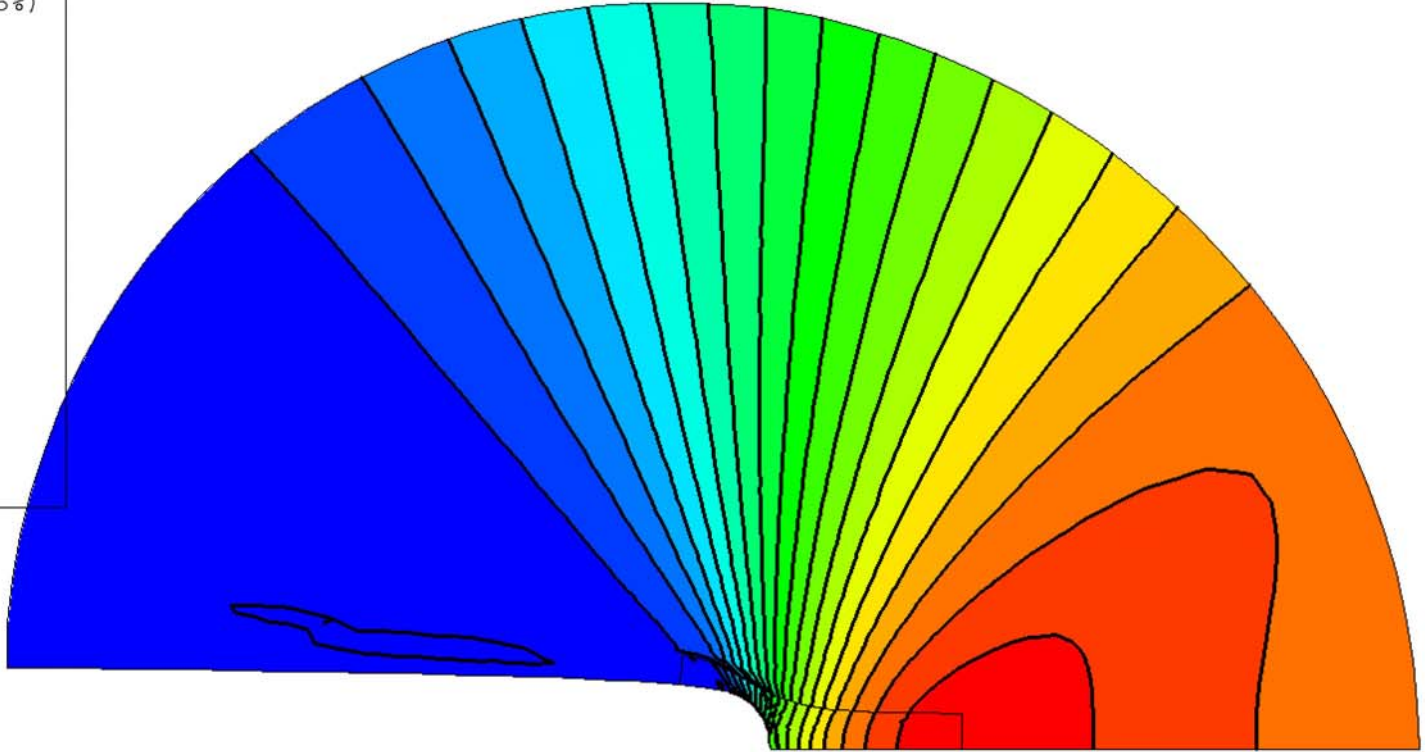
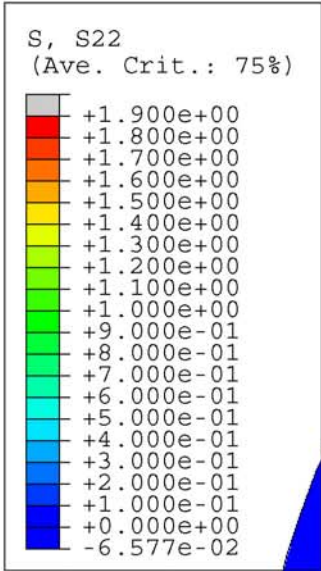
COD=16  $\rho_0$



2  
3 — 1

2

COD=32  $\rho_0$



4

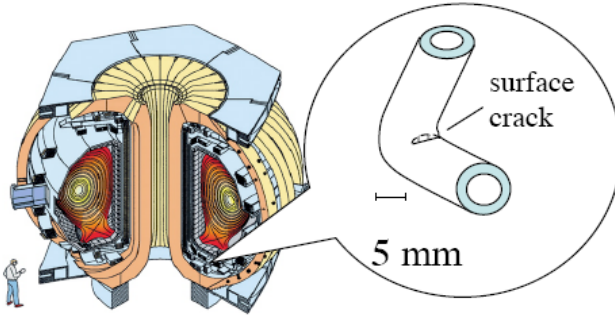


# Multiscale Fracture Processes

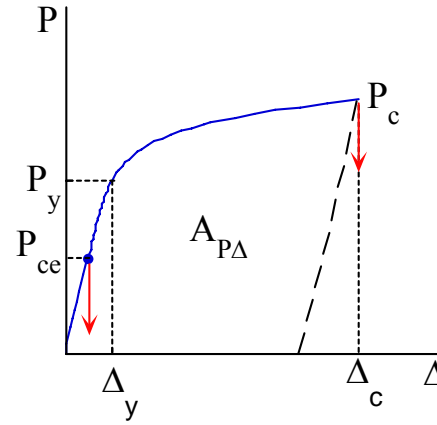
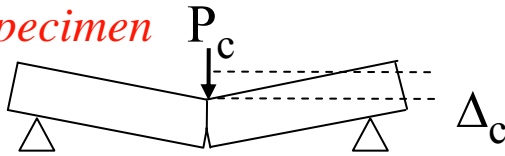
10 m

Macroscopic Scale

*structure*



*specimen*

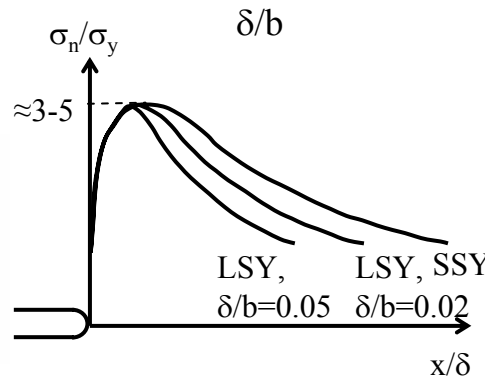
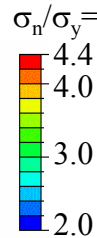
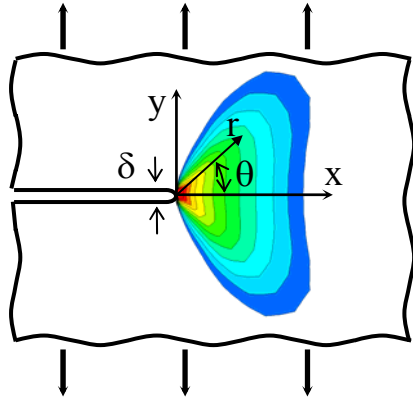


**Critical structural fracture loads & displacements**  
controlled by  $\sigma(\epsilon)$ ,  $K_{J_e}$   
*FE models*

$10^{-2}m$

Meso Scale

Remote Loading



**Crack tip stress & strain fields**  
controlled by  $\sigma(\epsilon)$ ,  $K_J$  &  
cracked-body size & geometry  
*FE models*

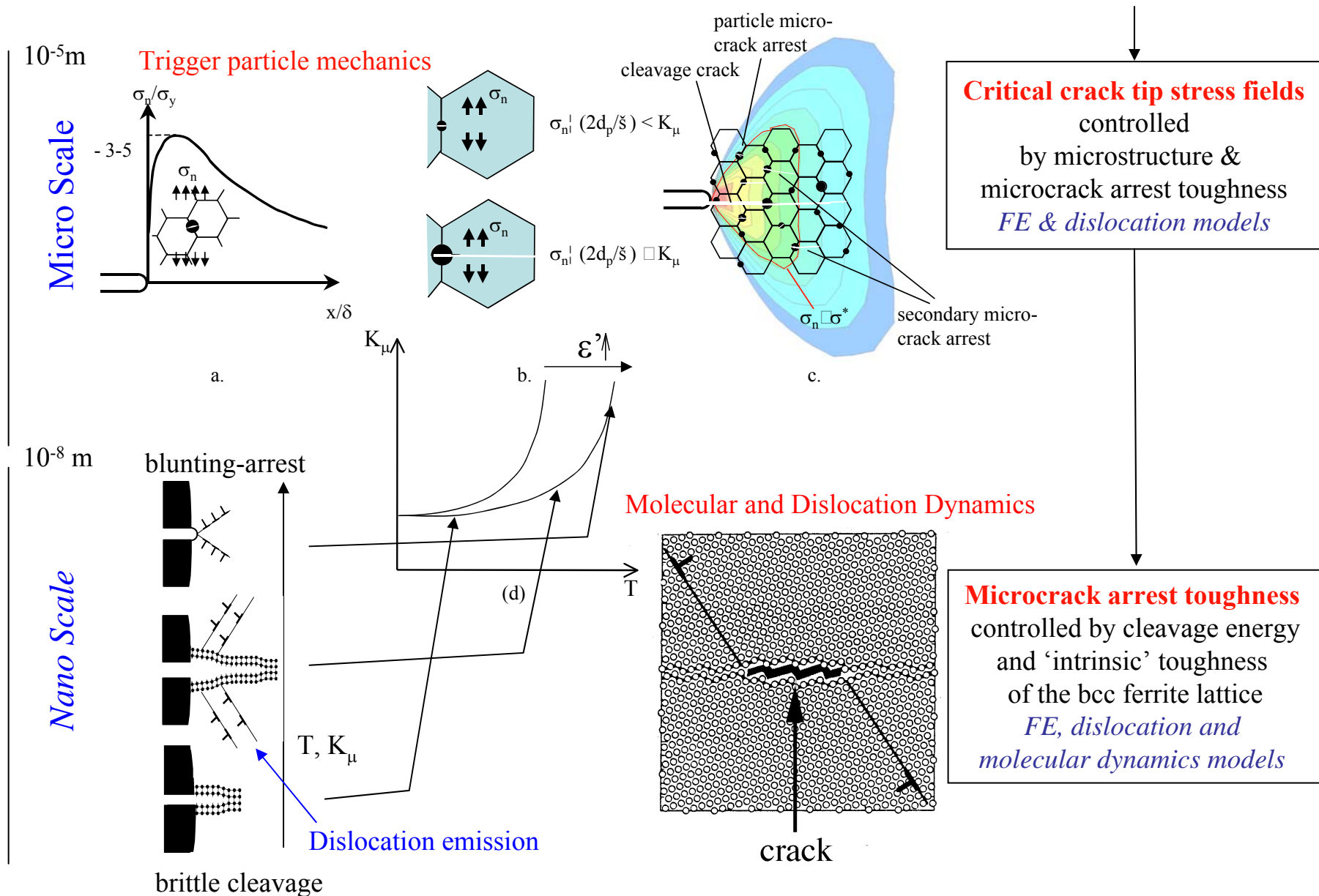
$10^{-5} m$

(a)

(b)

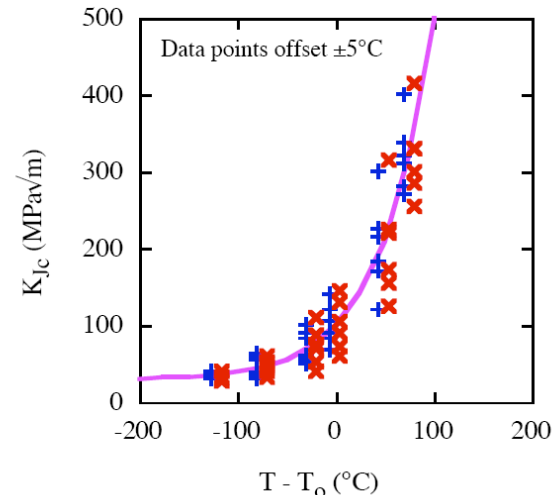
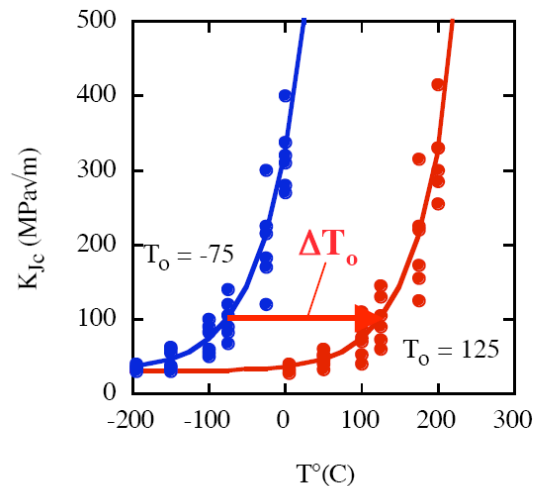


# Multiscale Cleavage Fracture Processes



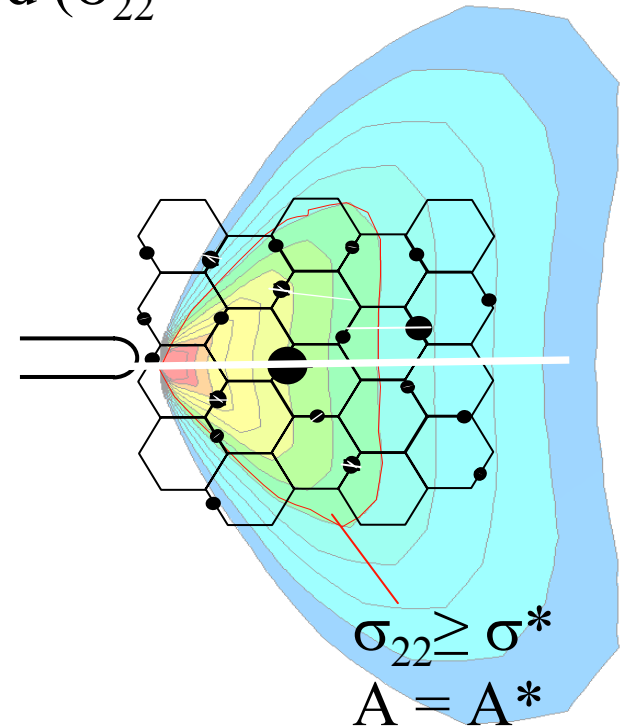
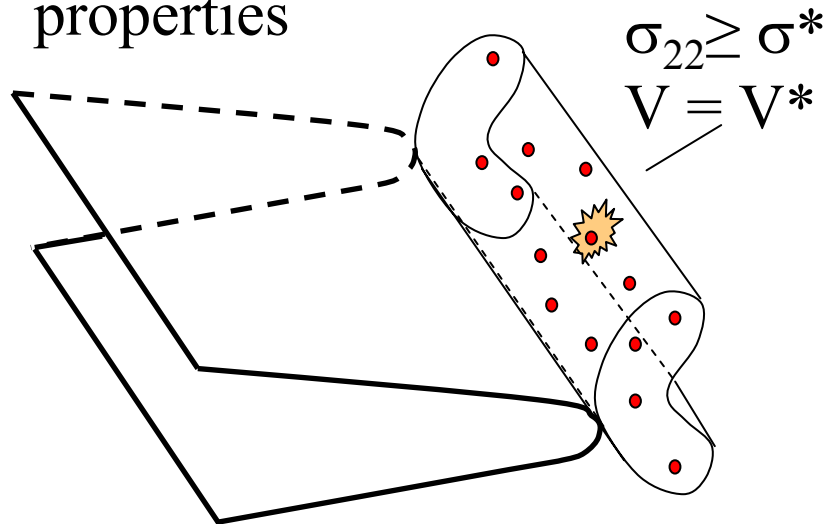
# The SSY Master Curve - $K_{Jc}(T - T_0)$

- Microstructure  $\Rightarrow \sigma(\epsilon) + local$  fracture properties  $\Rightarrow K_{Jc}(T)$
- Wide range  $K_{Jc}(T)$  for various alloys and conditions
- But approximately universal  $K_{Jc}(T)$  shape (Wallin)
- $K_{Jc}(T-T_0)$  collapses data -  $T_0$  usually taken at  $K_{Jc} = 100 \text{ MPa}\sqrt{\text{m}}$ 
  - Universal shape?
  - If so - why?
  - Treatment of size effects?
  - Embrittlement -  $\Delta T_0$



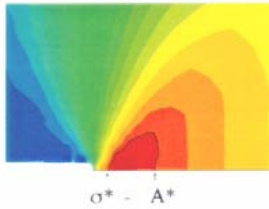
# Micromechanical Models

- Critical stress ( $\sigma_{22} = \sigma^*$ ) - critical distance ( $\lambda^*$ ) (RKR)
- Critical stress ( $\sigma_{22} = \sigma^*$ ) - critical area ( $A^*$ )/volume ( $V^*$ )
- Statistical (Weibull)  $P_f = 1 - \exp(-\sigma_w/\sigma_o)^m) \Rightarrow \sigma_w =$   
volume averaged power (m) weighted ( $\sigma_{22}^m$ )<sup>1/m</sup> stress
- $A^*/V^*$ ,  $\sigma^*$ , m and  $\sigma_o \Rightarrow$  *local fracture properties* controlled by microstructure and ferrite lattice properties

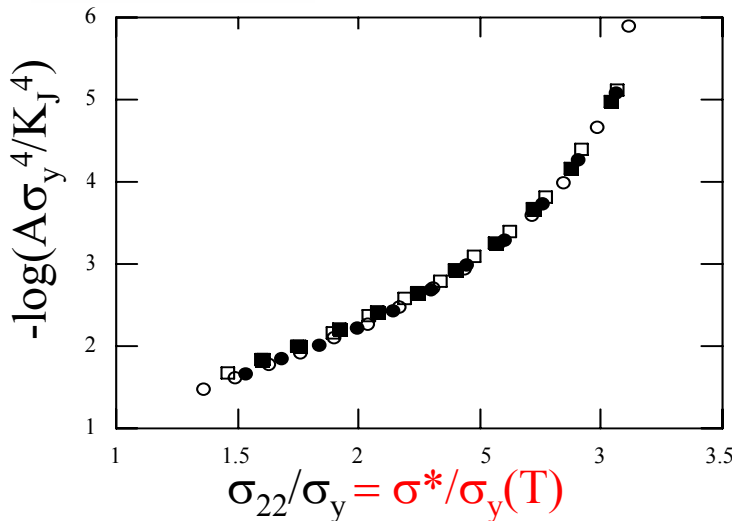


# Universal SSY MC Shape?

- Why universal shape for wide range of microstructures &  $T_o$ ?
- $A=A^*$ ,  $\sigma_{22}=\sigma^* \neq f(T) \Rightarrow$  SSY master curve  $K_{Jc}(T-T_o)$  low  $T_o$
- $K_{Jc}(T)$  shape due to  $\sigma_y(T)$
- Magnitude  $\sigma_y(T)$  sensitive but shape insensitive to microstructure

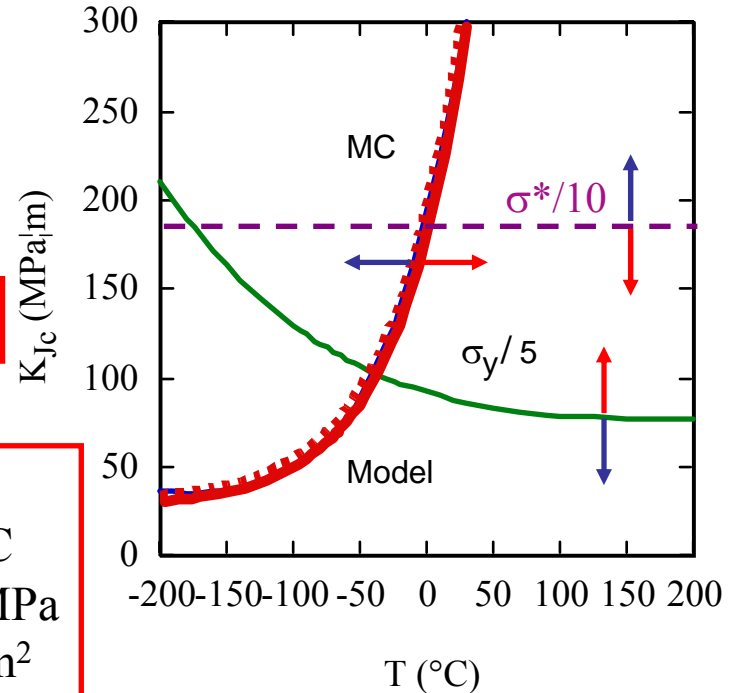


Cracked body geometry  
or SSY boundary layer  
+  $\sigma(\epsilon, T) \Rightarrow$  FE  $\Rightarrow$   
 $A(\sigma_{22}/\sigma_y, K_J)$



+  $\sigma^*$ ,  $A^*$

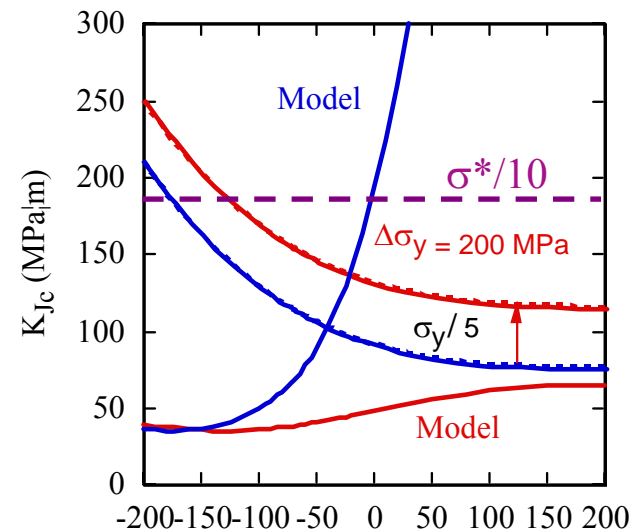
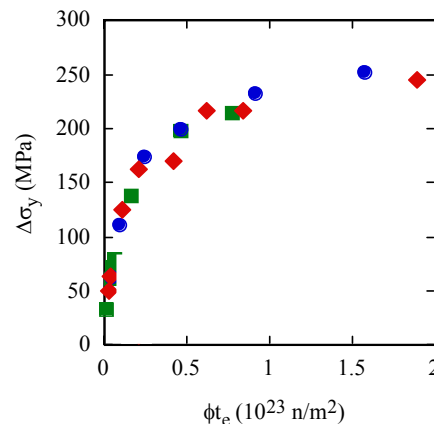
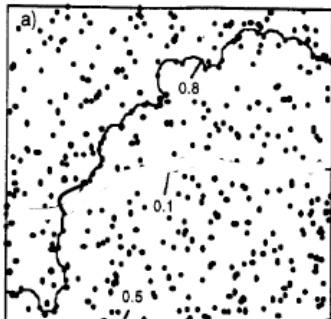
Example  
 $T_o = -45^\circ\text{C}$   
 $\sigma^* = 1900 \text{ MPa}$   
 $A^* = 10^{-8} \text{ m}^2$



# Embrittlement - $\Delta T_o$

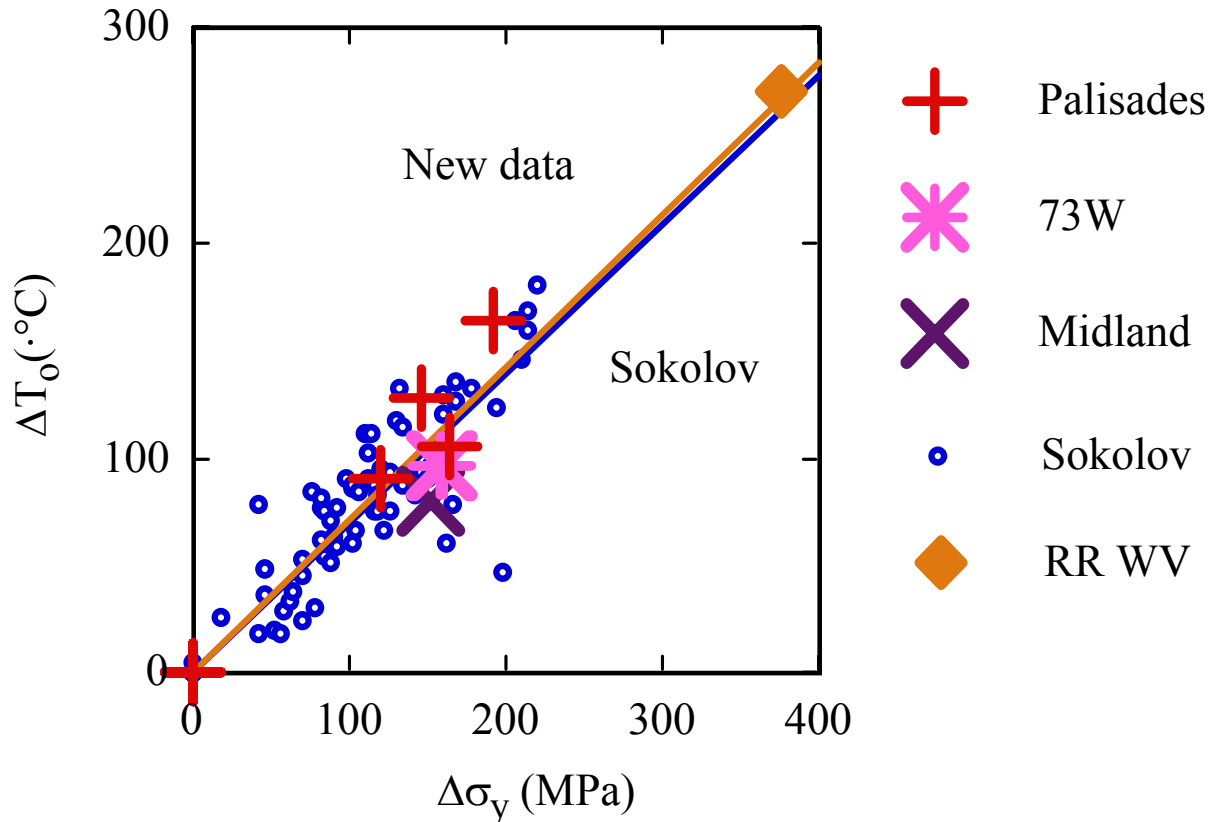
- Embrittlement -  $\Delta\sigma_y > 0$  (or  $\Delta\sigma^* < 0$ )  $\Rightarrow \Delta T_o$
- Large  $\Delta T_o$  up to  $> 300^\circ\text{C}$  observed for large  $\Delta\sigma_y$
- If  $\sigma^* \neq f(T) \Rightarrow K_{Jc}(T) \neq$  master curve shape for  $T_o > 0^\circ\text{C}$
- Universal shape requires  $\sigma^*(T)$
- But  $\sigma^*$  depends on microstructure?
- Intrinsic property  $\Rightarrow$  universal  $K_{Jc}(T-T_o)$ ?
- Intrinsic lattice micro-arrest toughness  $K_\mu$

Irradiation hardening by nanoprecipitates



# $\Delta T_o$ - $\Delta\sigma_y$ Correlation - RPV Steels

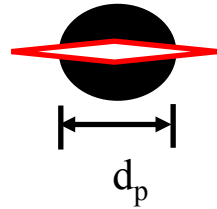
- Excellent agreement with previous data compilation by Sokolov - but extended to much higher levels of hardening and embrittlement –  $\Delta T_o/\Delta\sigma_y$  - 0.69 (previous) vs 0.71 (new) ° C/MPa



# $\sigma^*(T)$ and $K_\mu(T)$

$$\sigma^*(T) = C_g K_\mu(T) \sqrt{d_p}$$

Broken trigger particle



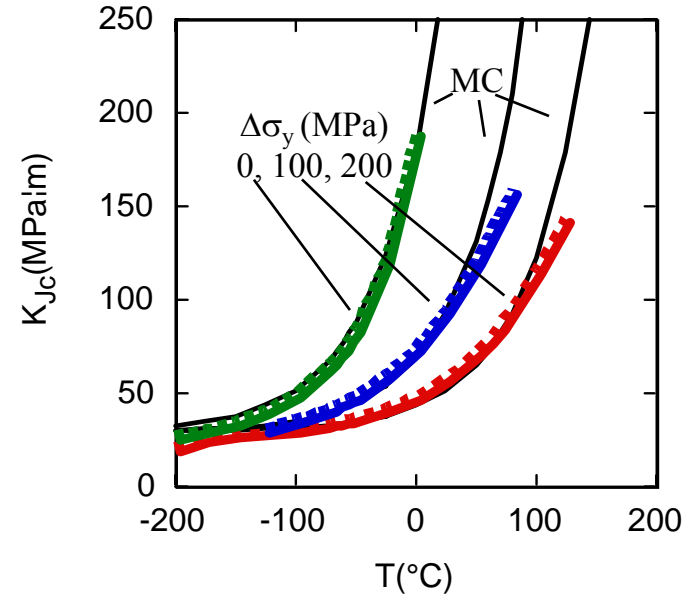
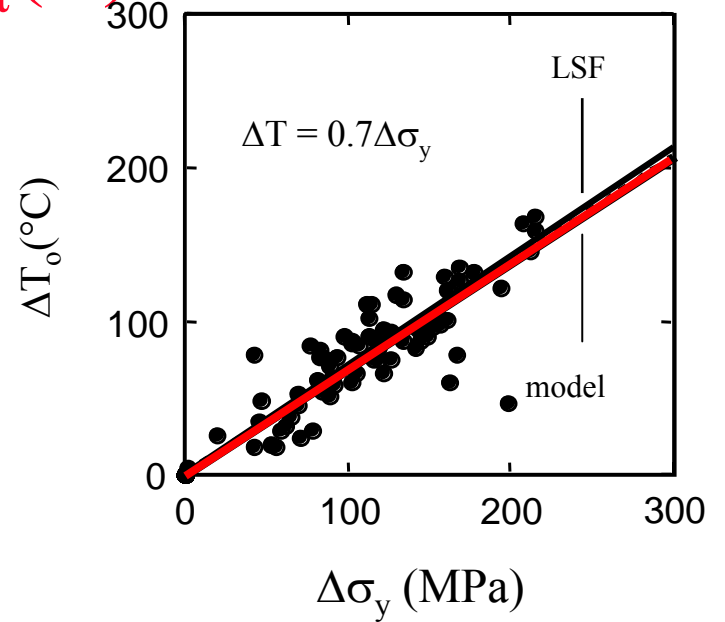
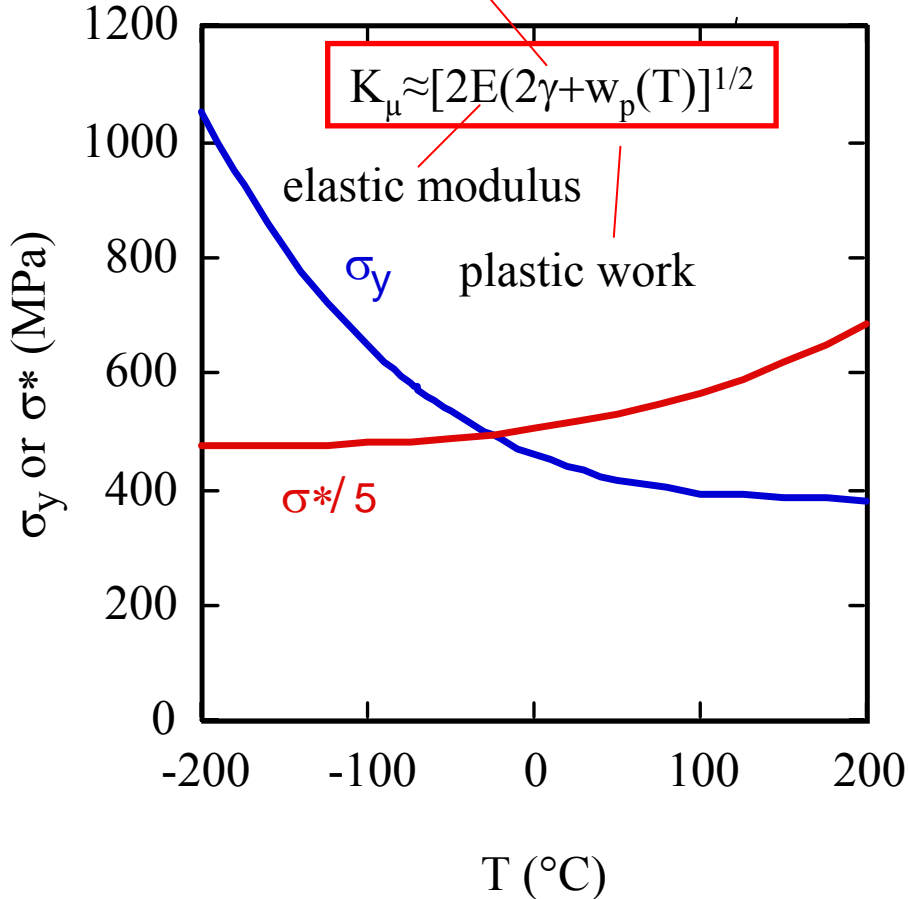
new surface energy

$$K_\mu \approx [2E(2\gamma + w_p(T))]^{1/2}$$

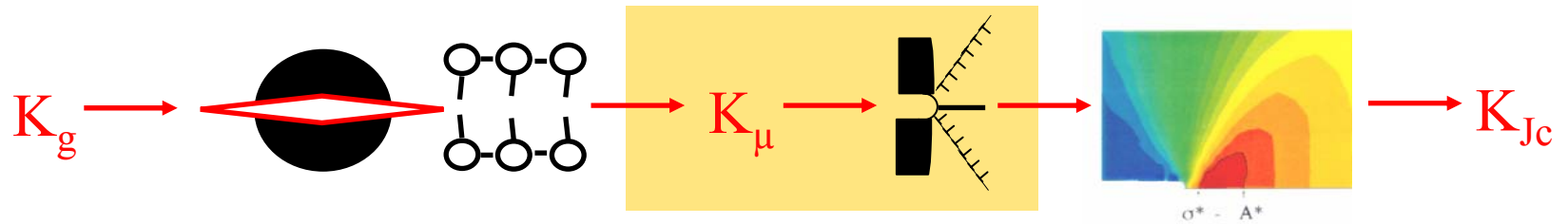
elastic modulus

plastic work

$\sigma^*/5$

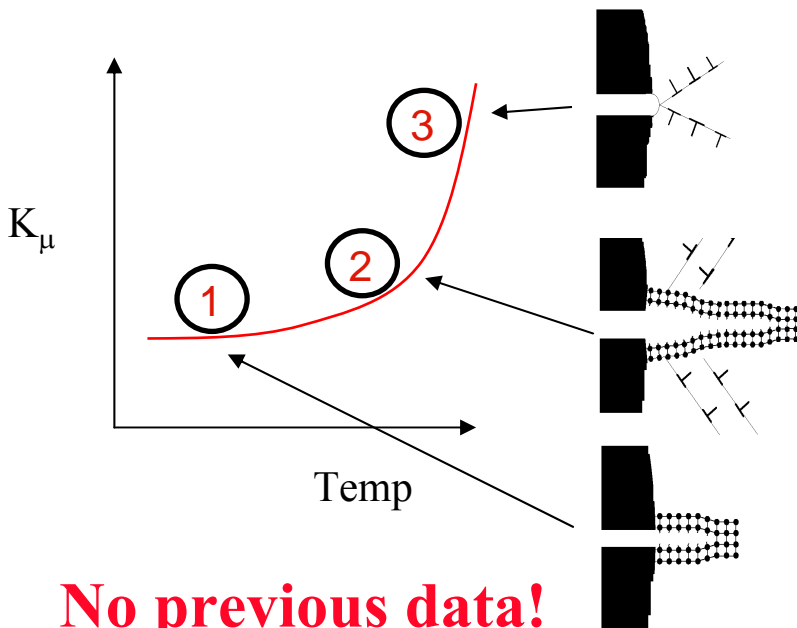


# $\sigma^*(T)$ Controlled by Arrest $K_\mu(T)$

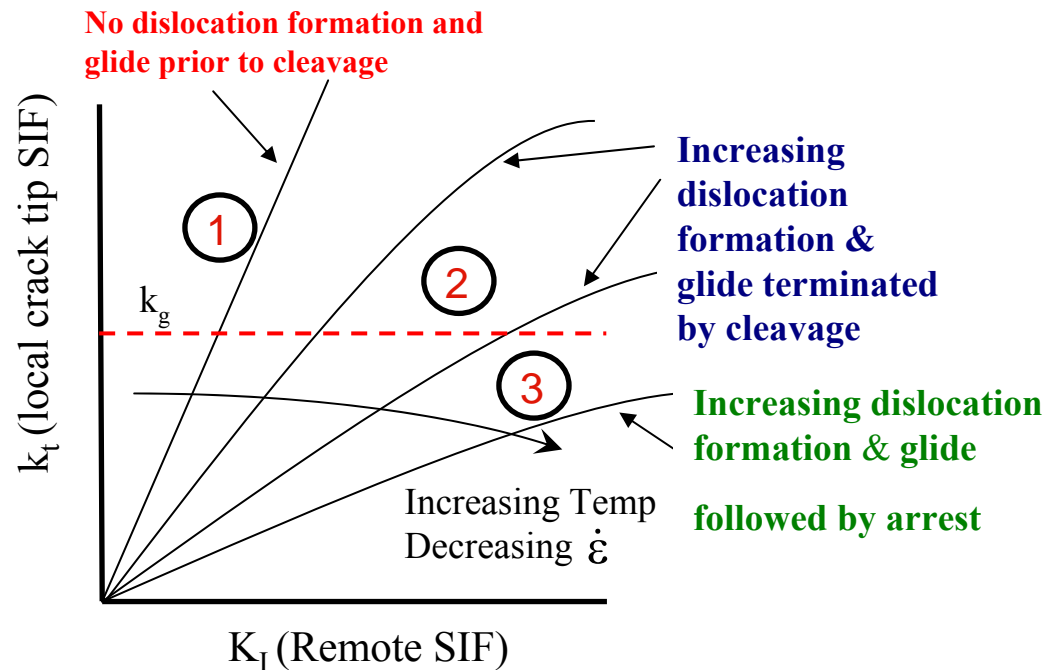


$\sigma^*(T)$  is controlled by the temperature dependence of  $K_\mu(T)$

$$\sigma^*(T) = \frac{CK_\mu(T)}{\sqrt{d}}$$



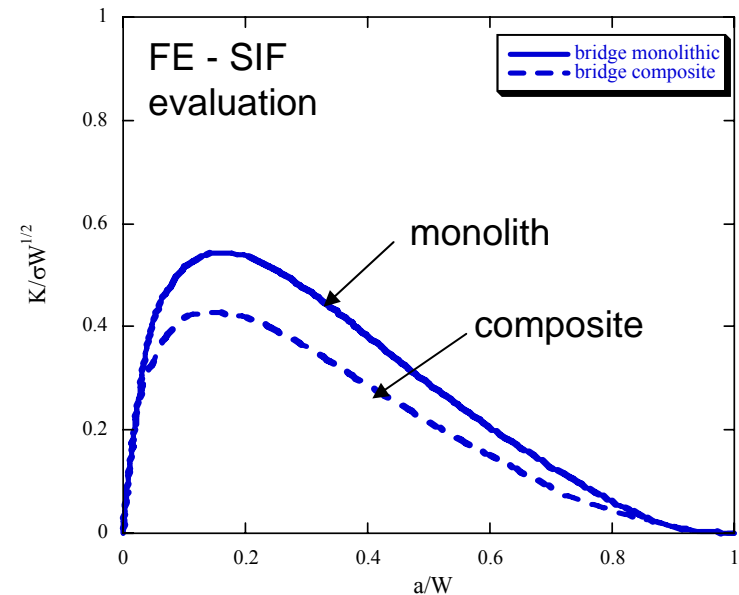
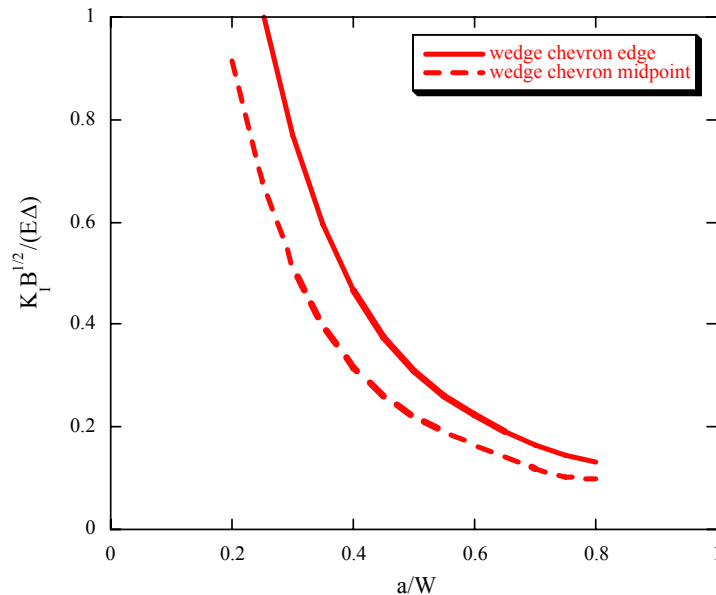
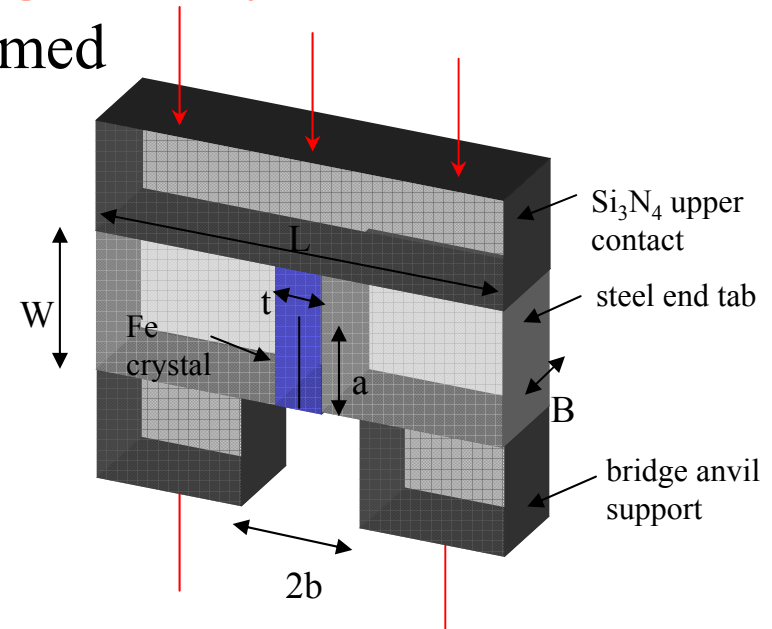
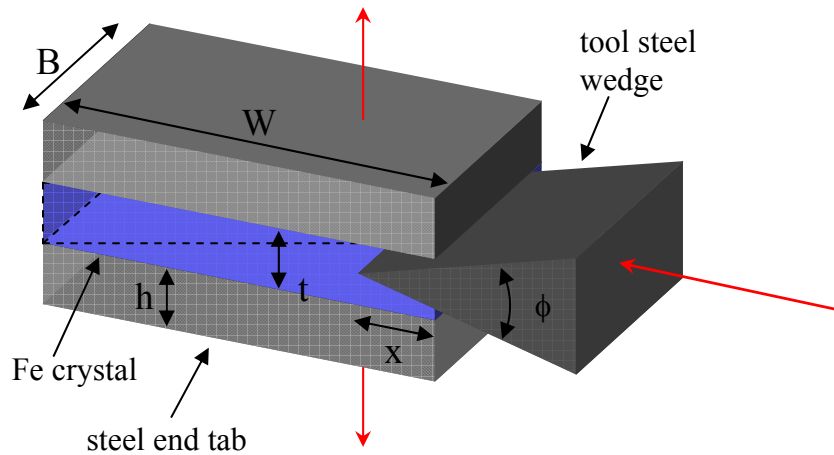
**No previous data!**





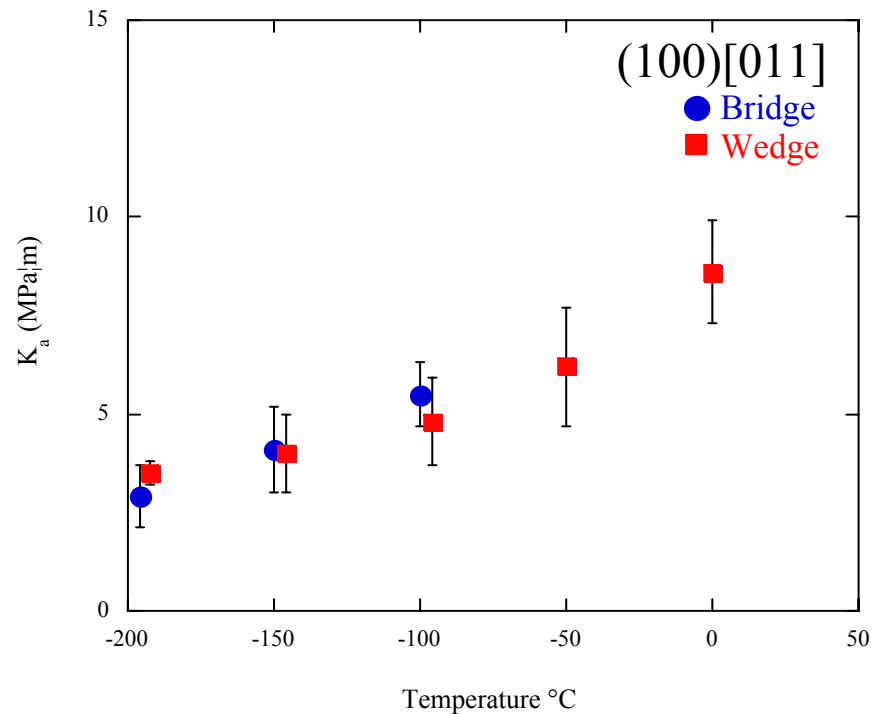
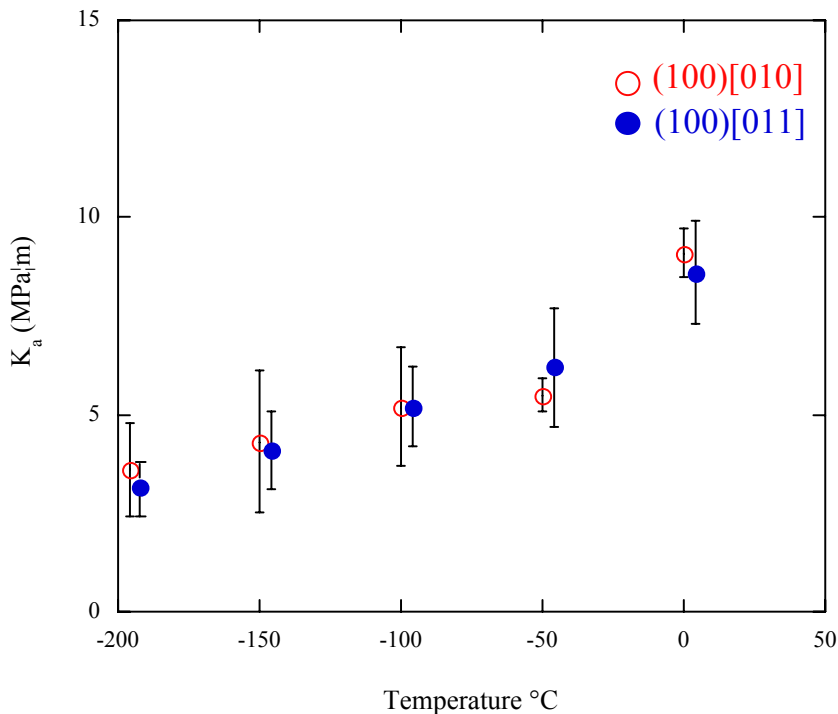
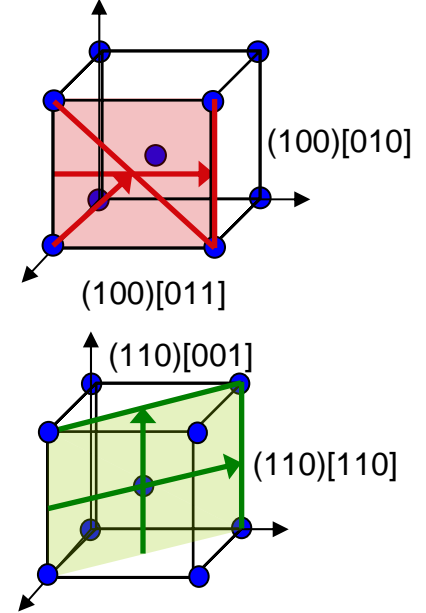
# Composite Specimen Single Crystal Tests

- Finite element model of  $K(a/W)$  confirmed by TiAl calibration



# $K_a(T)$

- Two low toughness cleavage orientations
- Two test methods
- For (100) mean  $K_a(T)$  increase from  $\approx 3.5$  MPa $m^{1/2}$  @  $-196^\circ$  C to  $\approx 9$  MPa $m^{1/2}$  @  $0^\circ$  C similar for both orientations and methods
- At lowest T-minimum  $K_a$  values  $\approx 2$  MPa $m^{1/2}$

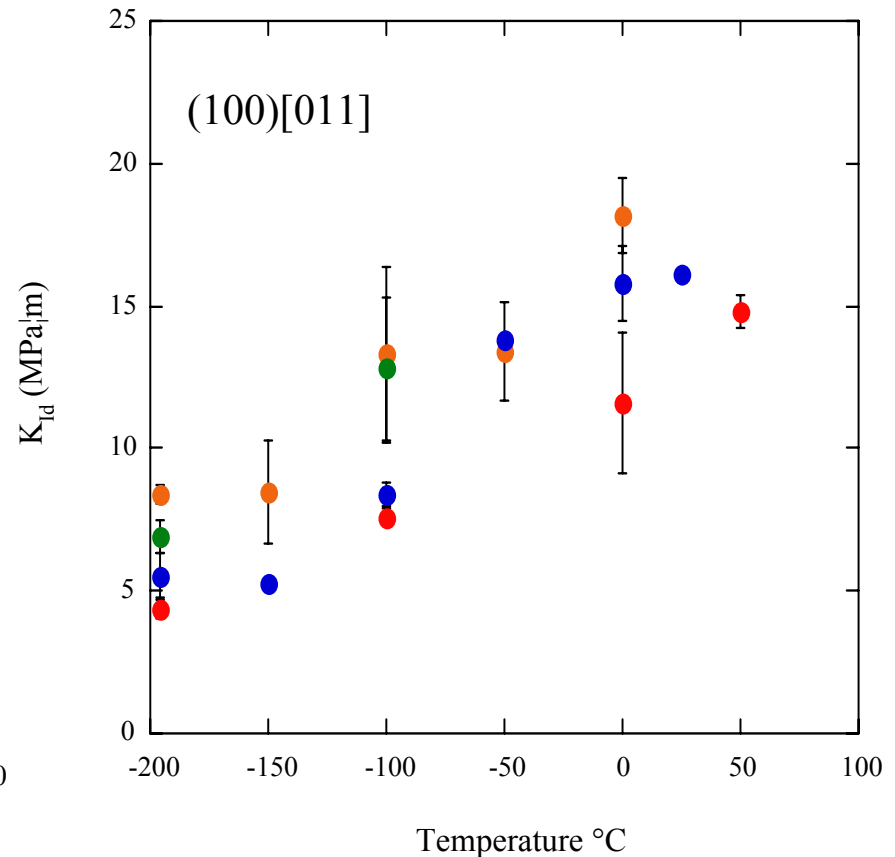
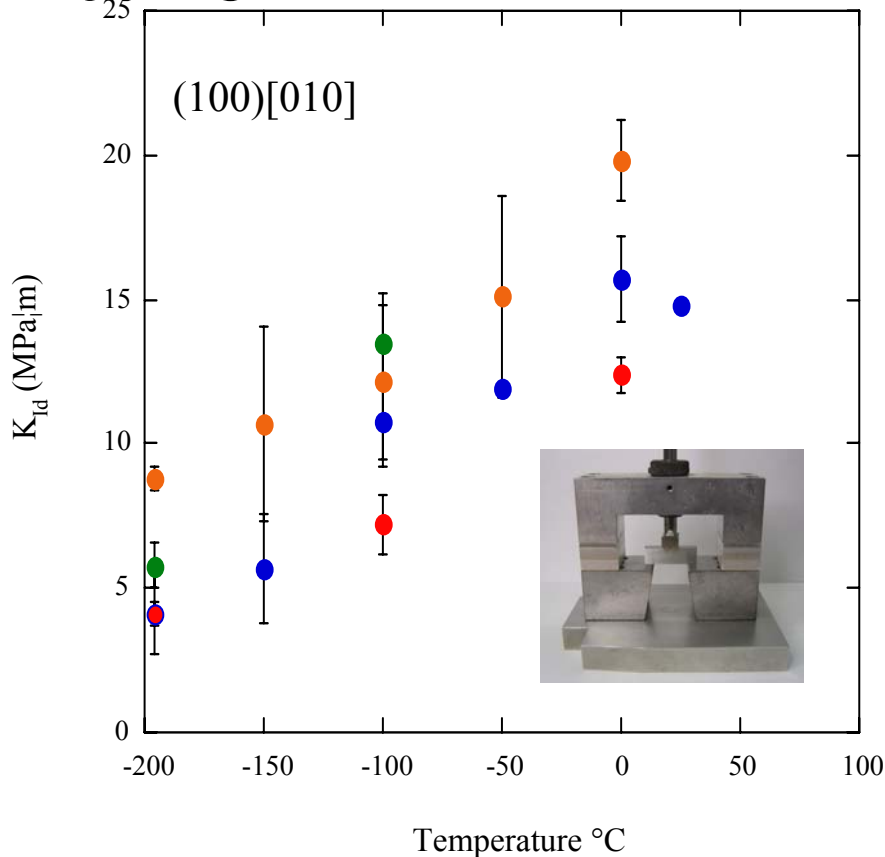


# Initiation $K_{Ic/d}(T)$

- Bridge specimens left with long sharp precrack
- Test in 4-point bending
- Explore  $K_I \sim 0.1-2 \times 10^4 \text{ MPa}\cdot\text{m}^{1/2}/\text{s}$  @  $-196^\circ \text{C}$  to  $50^\circ \text{C}$

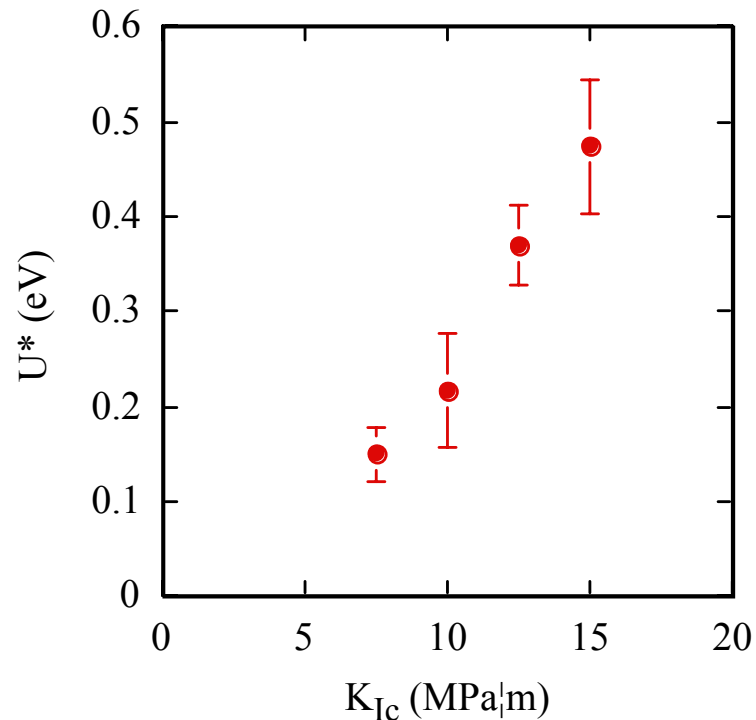
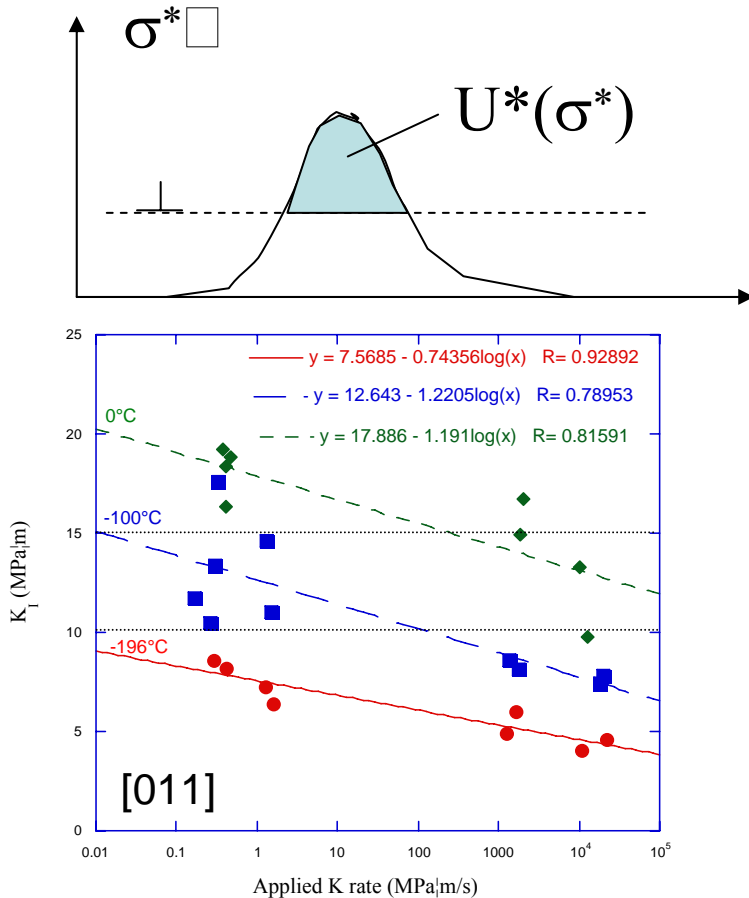
$\dot{K}$  ( $\text{MPa}\sqrt{\text{m}}/\text{sec}$ )

- $\sim 0.1$
- $\sim 1$
- $\sim 10^3$
- $\sim 10^4$



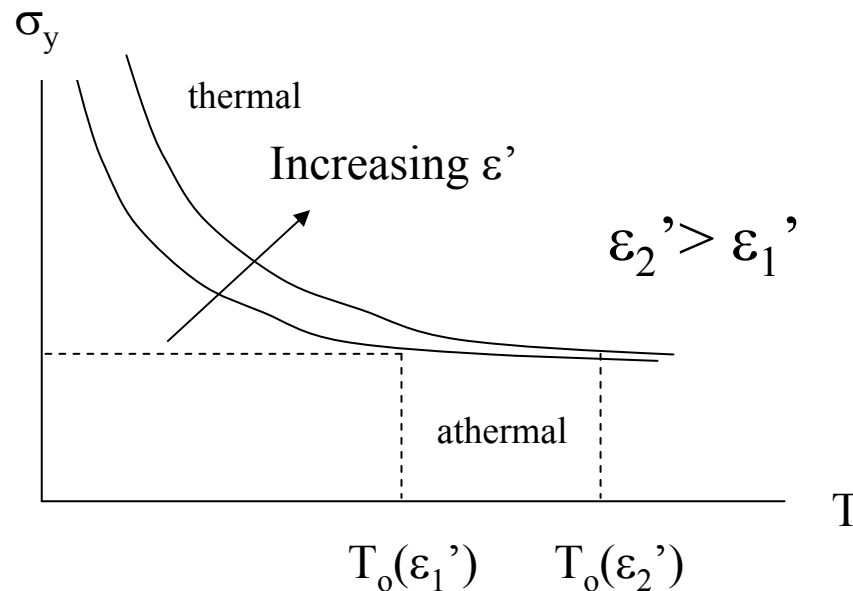
# Activation Energy - $U^*$

- $K'$  and  $T$  dependence  $\rightarrow$  thermally activated process -  $U^*(\sigma)$
- $U^*$  increases with decreasing  $\sigma_y$  & increasing  $T$  (and  $K_a$ )
- Dynamics very similar to yield dynamics



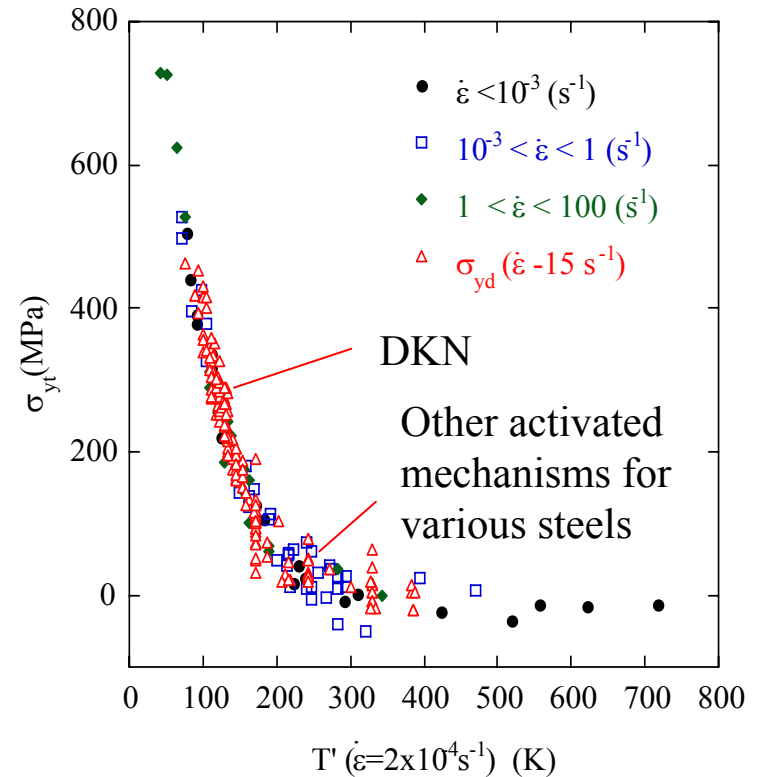
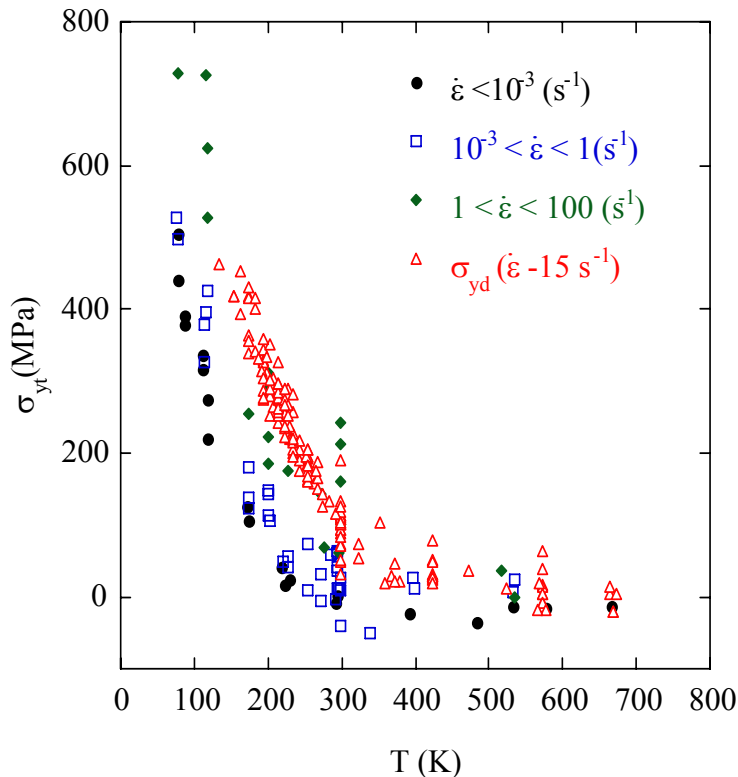
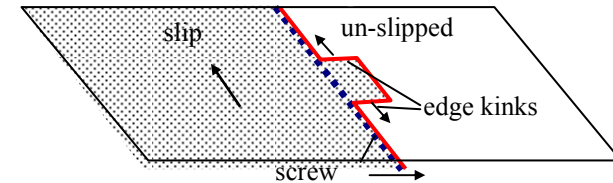
# $\sigma_{yth}(T, \varepsilon')$

- $\sigma_y = \sigma_{yth}(T, \varepsilon') + \sigma_{yat}$
- Dislocation dynamics  $\sigma_{yth}(T, \varepsilon')$  -> controlled by stress (temperature) dependent activation energy -  $U^*(\sigma)$
- $U^*_{max} \approx \alpha k T_0$  where  $\sigma_{yth} = 0$  at  $T > T_0(\varepsilon')$
- $\sigma_{yth}$  data for various  $\varepsilon'$  collapses on a strain rate compensated  $T'$  scale for selected reference  $\varepsilon_r'$ :  $T' = T[1 - (1/\alpha)\ln(\varepsilon'/\varepsilon_r')]$



# Double Kink Nucleation

- $\sigma_{y_{th}}$  primarily depends on double kink nucleation on screw dislocations
- Double kink nucleation also governs  $U^*_{max}$  and the shape of the  $\sigma_{th}(T')$  curve
- Total of 19 alloys



# $K_{Ic/d}$ - $K_a$ Master Curve

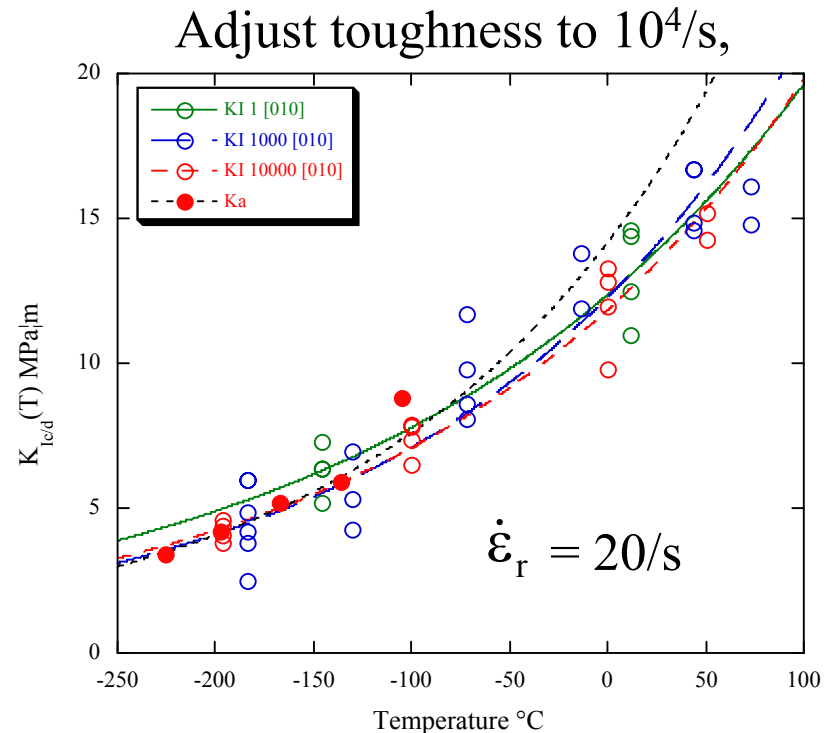
- Adjusted rate dependent data will also yield an estimate of  $U_{\max}^*$  at reference  $K' = 10^4 \text{ MPa}\cdot\text{m}^{1/2}/\text{s}$
- Collapses all  $K_{Ic/d}(T)$  &  $K_a(T)$  into a single trend curve

From estimates of Charpy impact rates:

For $\dot{K} = 10^4$	$\dot{\epsilon} = 20/\text{s}$
For $\dot{K} = 10^3$	$\dot{\epsilon} = 2/\text{s}$
For $\dot{K} = 10^0$	$\dot{\epsilon} = 2 \times 10^{-3}/\text{s}$

$\dot{\epsilon}_{\text{arrest}} = 5000/\text{s}$

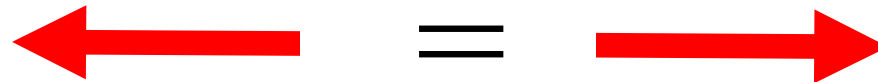
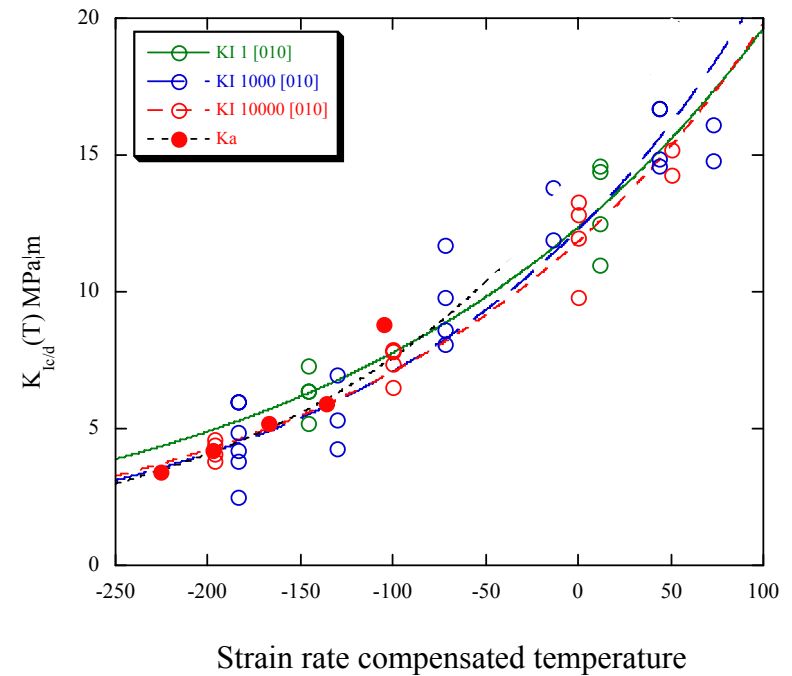
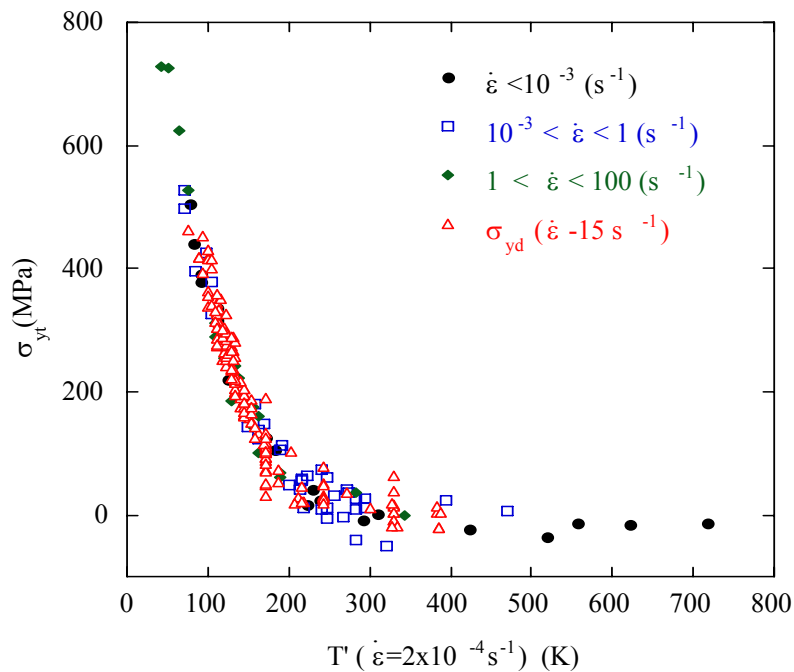
$$T_0 = 536^\circ \text{ K}, U_{\max}^* = 0.69 \text{ eV}$$



$\approx$  consistent with double kink nucleation mechanism

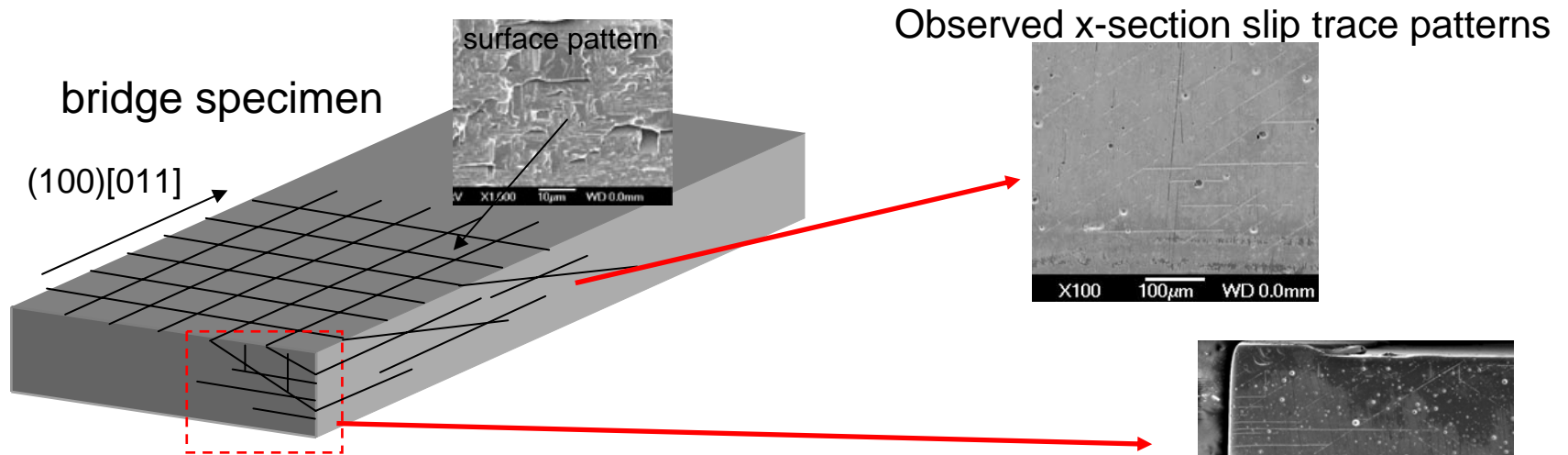
# Deformation-Cleavage Dynamics

Observed that yield dynamics fracture dynamics are the same

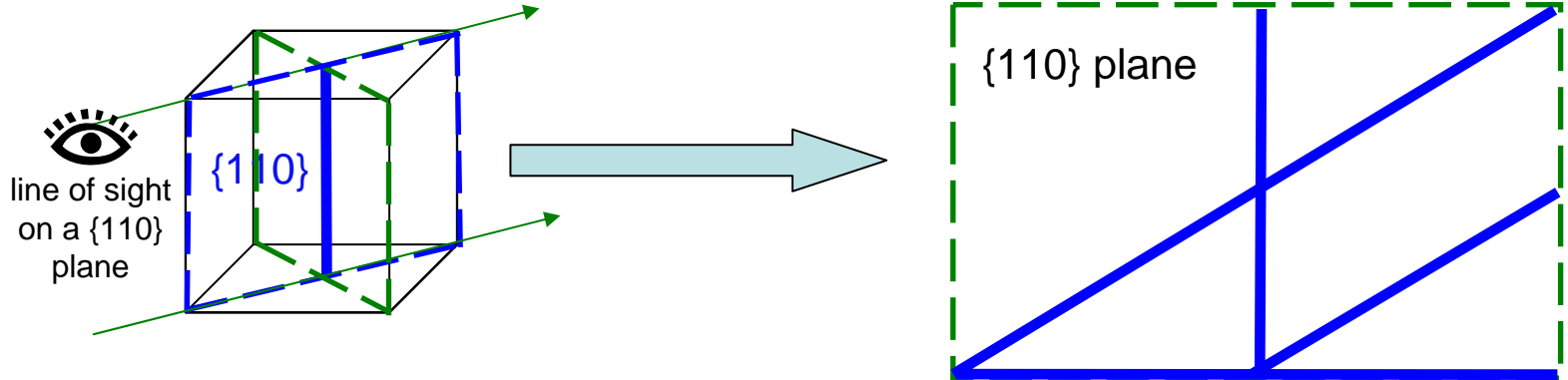




# [011] Cross Section Slip Traces



Additional vertical crack x-section slip traces attributed  $\{110\}$  systems

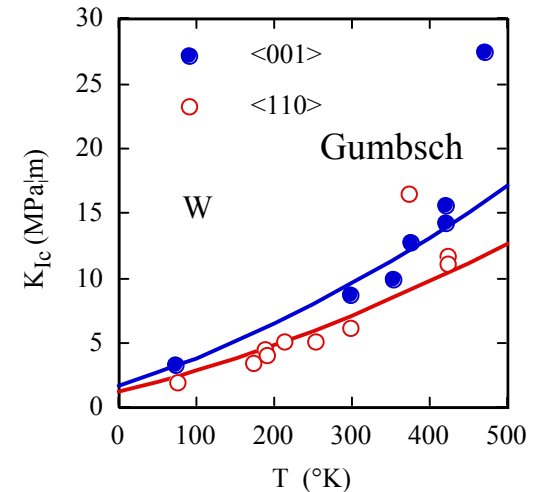
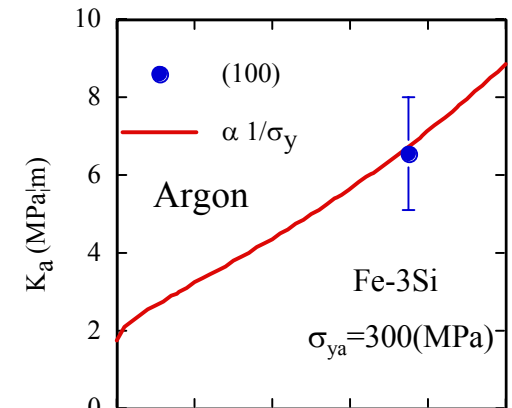
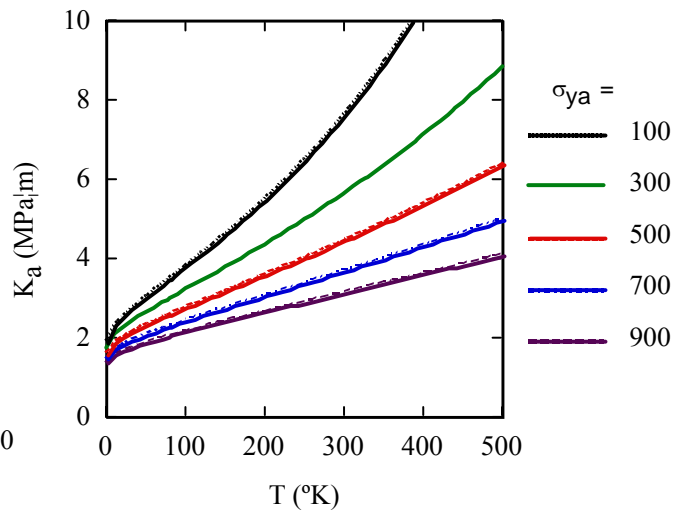
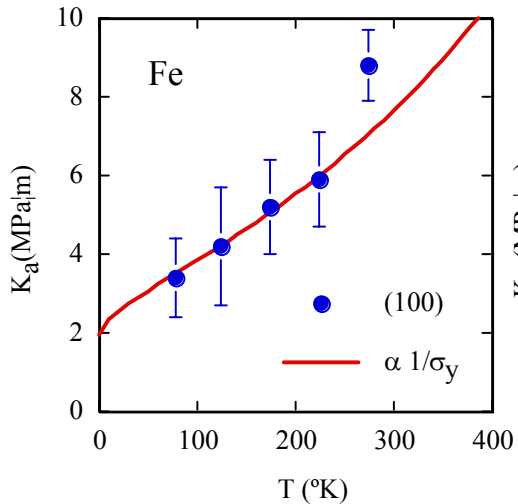


Slip traces confirm both  $\{110\}\langle 111\rangle$  and  $\{211\}\langle 111\rangle$  systems active

# Does *Total* $\sigma_y(T)$ Mediate $K_a(T)$ ?

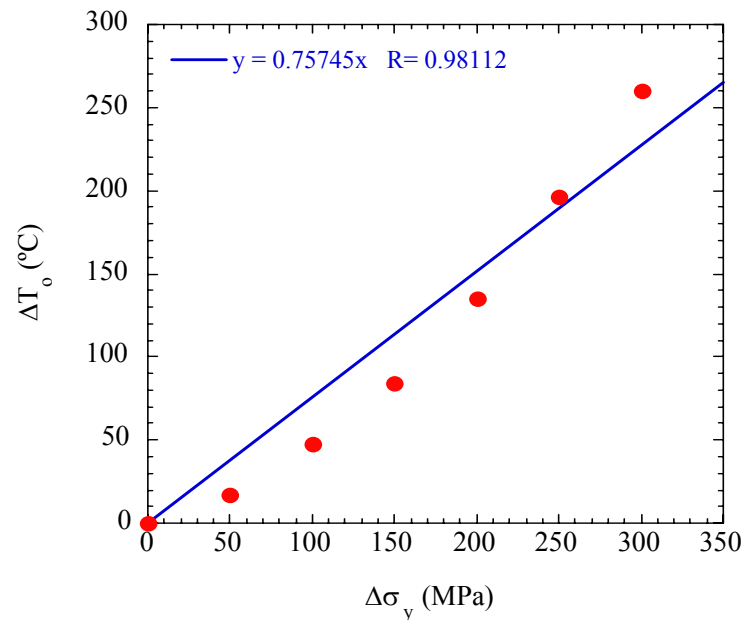
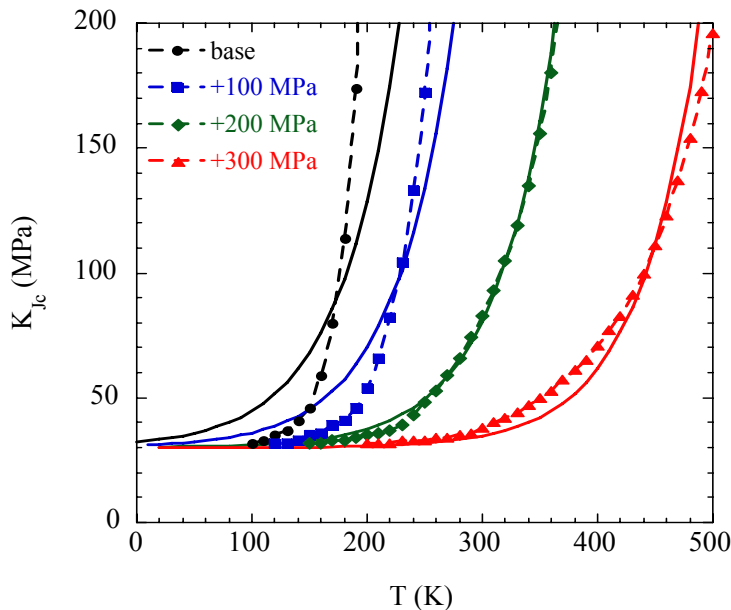
- $K_a(T)\sigma_y(T) \approx C_{sc}$
- Fit  $\sigma_y^{-1}(T)$  to  $K_a(T)$  data assuming arrest  $\varepsilon' = 5 \times 10^3/s$  for single crystal with  $\sigma_{ath} = 100$  MPa
- $K_a(T)$  for  $\sigma_{ath} \geq 100$  is also  $C_{sc}/\sigma_y(T)$
- Reasonable fits Fe-3Si (Argon)

& W (Gumbsch)



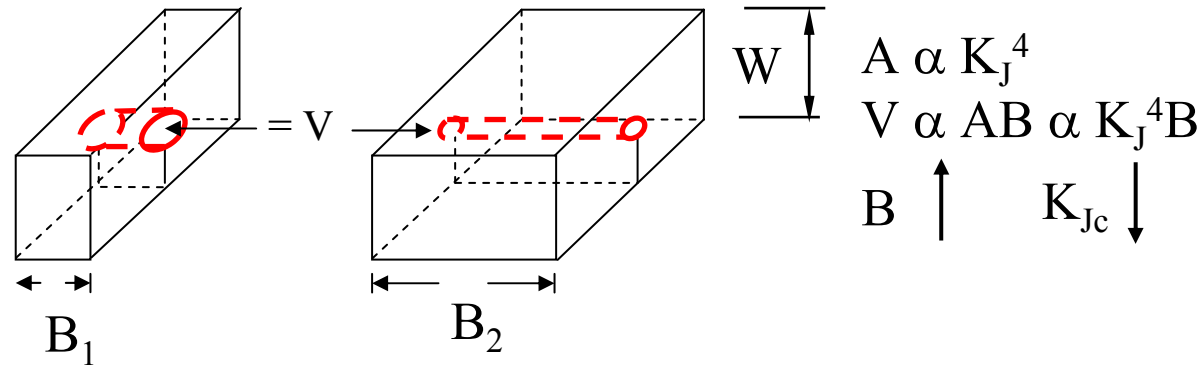
# Master Curve Model

- $K_a(T) = C_{sc}/\sigma_y(T,\varepsilon')$  for  $K_a(T) > K_{amin}$
- $K_{amin} = 3.25$  MPa-m<sup>1/2</sup> for polycrystalline Fe alloys
- $K_{Jc} - \sigma^*(T)$  [from  $K_\mu = K_a(T)$ ], A\* model
- $K_{Jc}(T)$  too steep at low  $T_0$  and  $\Delta T_0/\Delta\sigma_y$  increases with  $\Delta\sigma_y$
- Oversimplified/incomplete - T effect on strain hardening....?
- “Better” results for previous empirical  $K_\mu$  curve

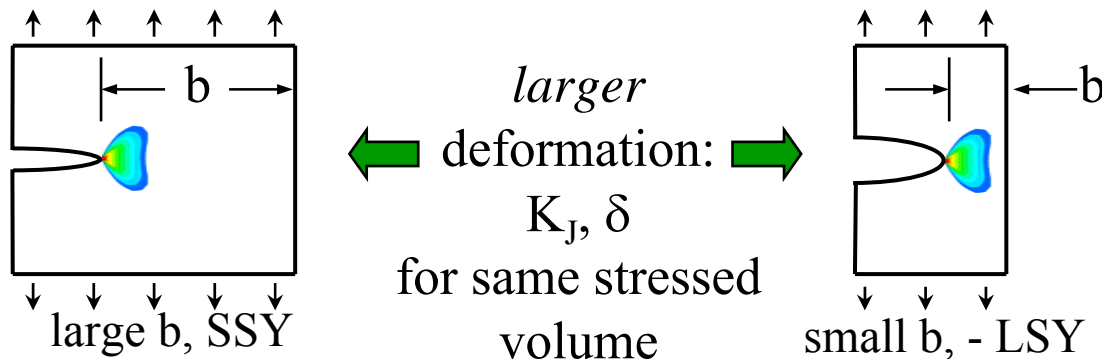


# Size Effects on $K_{Jm}$

- Statistical -- weakest link statistics

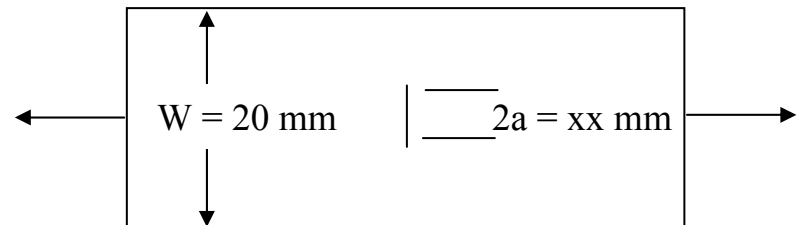
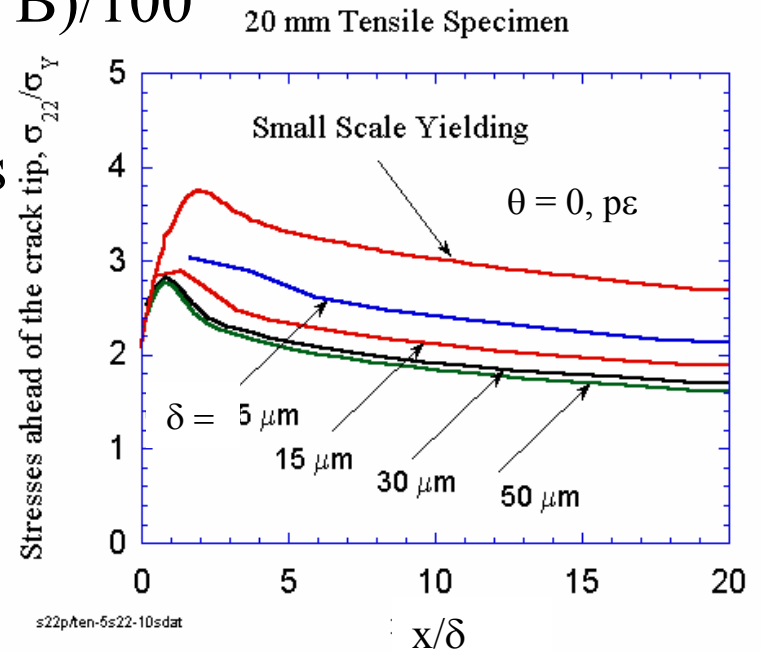
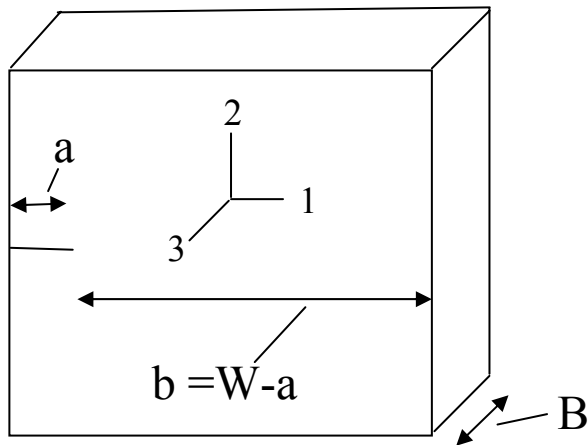


- In-plane constraint Loss -- SSY size deformation limits



# Deviations From SSY

- SSY crack tip dominance not norm - short, shallow cracks, ..
- SSY deformation limit  $\delta_c < \approx (a, b, B)/100$
- If not  $\Rightarrow$  lower  $\sigma_{22}$  - lose tri-axial constraint  $\Rightarrow$  size-geometry effects  $\Rightarrow$  *measured  $K_{Jm} > K_{Jc}$  (SSY)*
- Use *local crack tip process zone* micromechanical model

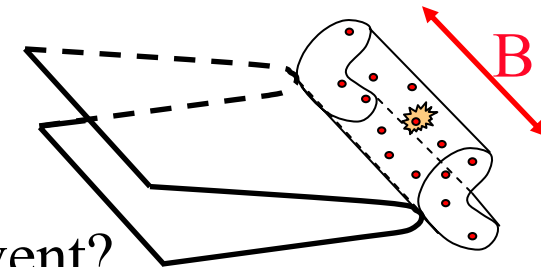
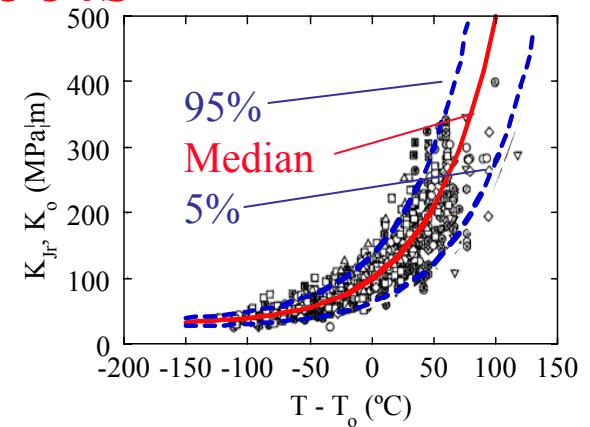


# Statistical Size Effects

- Large intrinsic scatter in cleavage  $K_{Jc}$
- Cleavage initiation  $\Rightarrow$  weakest link in *brittle trigger particle* distribution ( $P_f$ )
- $K_{Jm} \Rightarrow$  critical stressed volume  $V(\sigma_{22})$
- SSY:  $V(\sigma_{22}) = C(\sigma_{22})BK_J^4 \Rightarrow$

$$K_{Jm} \approx \alpha B^{-1/4}$$

- Modified scaling - generally not a single event?
  - $K_{min} > 0$  at  $P_f \rightarrow 0$
  - Upper and lower  $B^{1/4}$  scaling limits?
  - Sympathetic versus single events
  - Damage accumulation-critical point instability

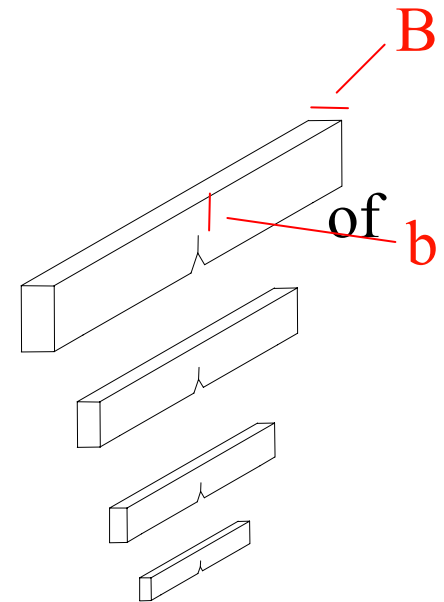


# Size and Geometry Effects

- Use models to understand-treat size effects:

$K_{Jm}$  (coupon test)  $\Rightarrow$   $K_{Jc}$  (SSY)  $\Rightarrow$   $K_{Jr}(B_r)$   $\Rightarrow$  P- $\Delta$  (structure)

- Assess individual-combined constraint loss-statistical effects
- No previous ‘single variable’ database - predominant self-similar specimens  $\Rightarrow b \propto B$
- H. Rathbun - first single-variable experiment designed to *decouple* sources size effects  $B = 8\text{-}254$  and  $b = 3\text{-}25\text{mm}$ 
  - seek large ( $\approx 2x$ ) effects
  - multiple tests  $a/W \approx 0.5$
  - same steel\* & test conditions
  - comprehensive ancillary database
  - model based analysis

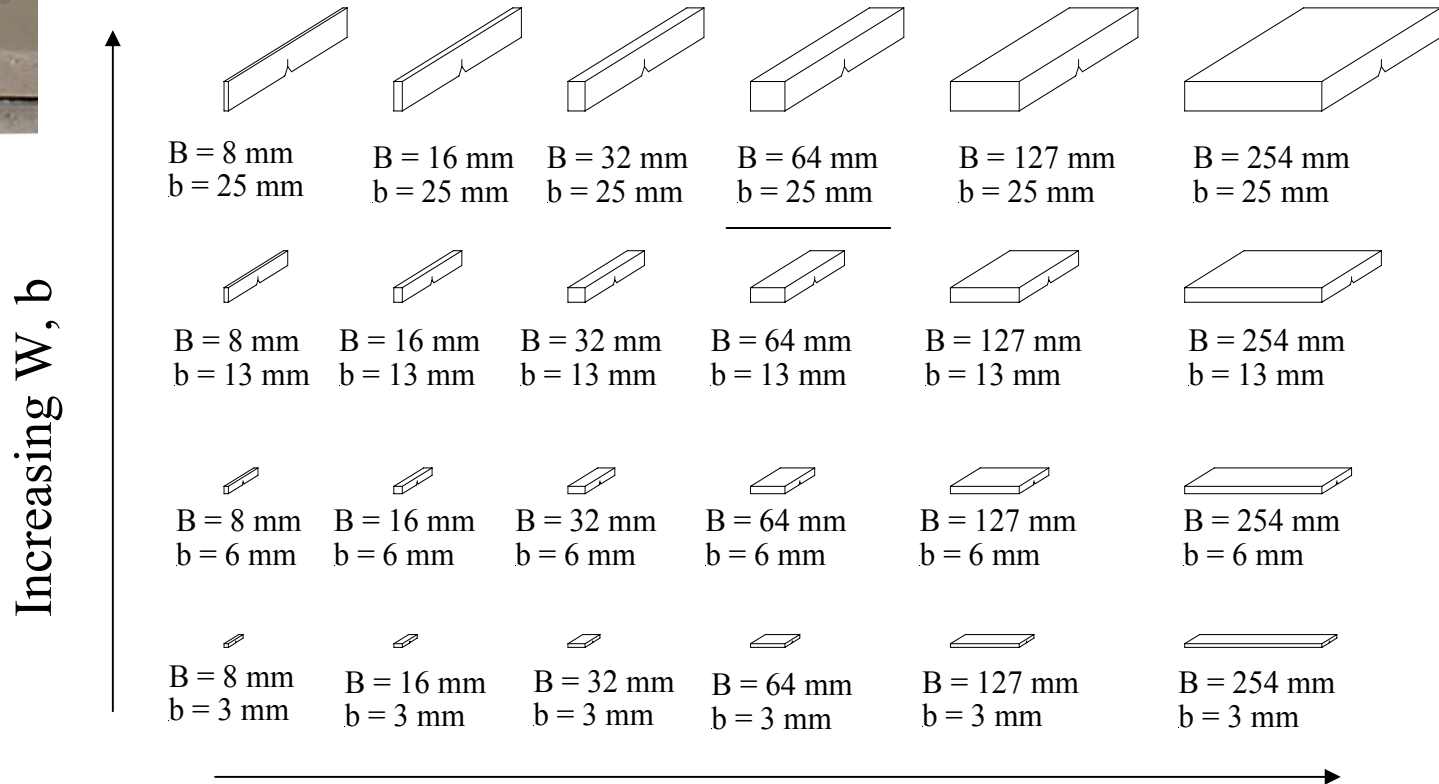


\*from unused Shoreham vessel plate



# Test Matrix

$B = 8 \text{ to } 254 \text{ mm}$  and  $W = 3 \text{ to } 25 \text{ mm}$



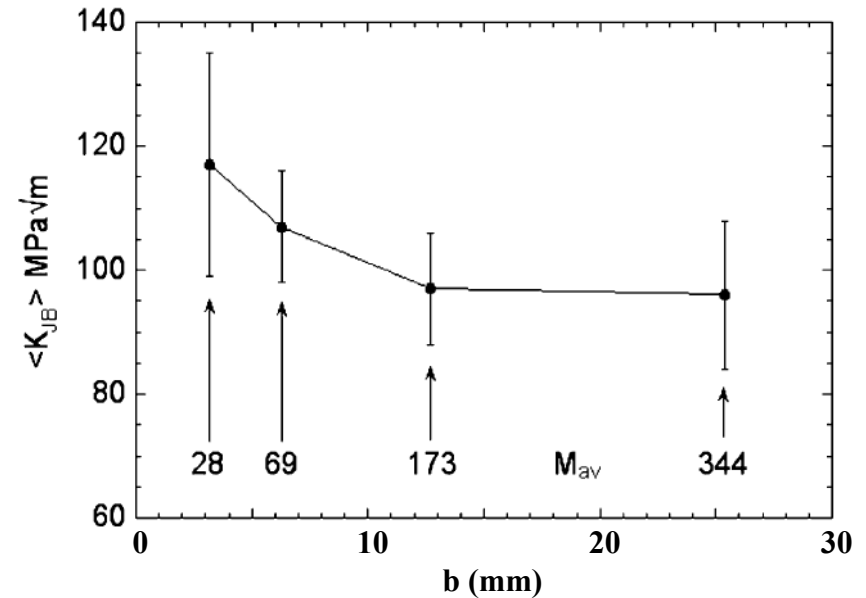
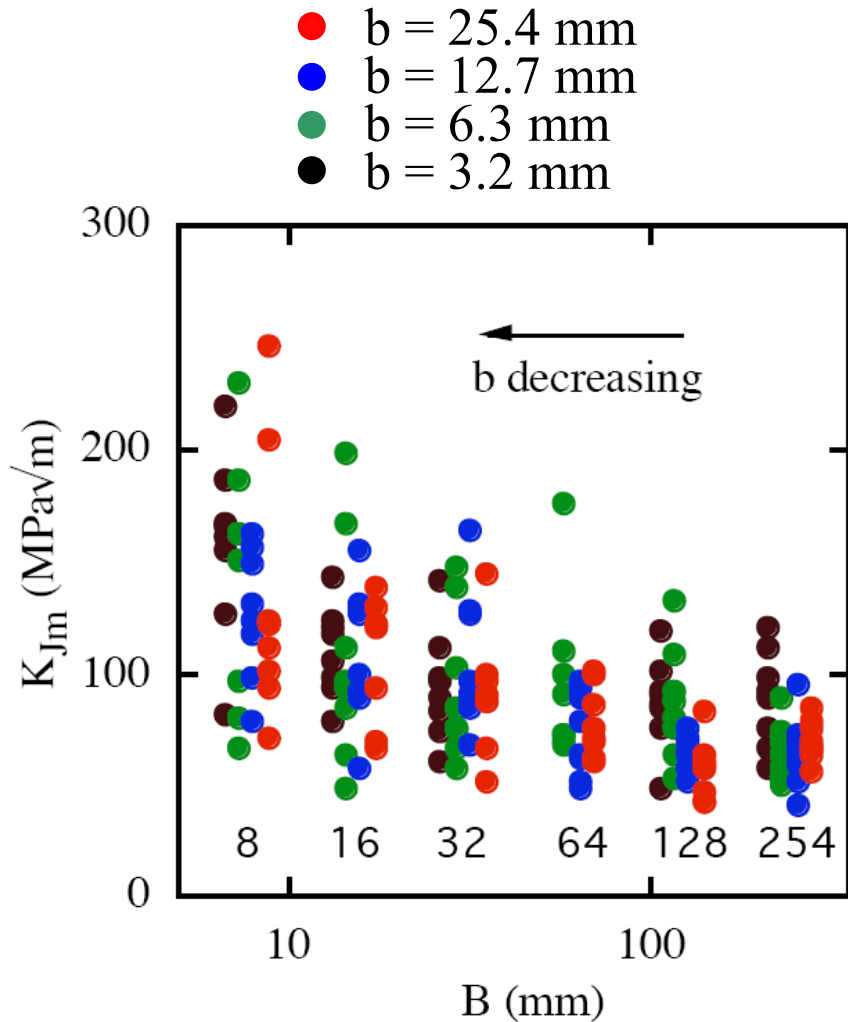
8 test per B-b

Increasing B



# Results

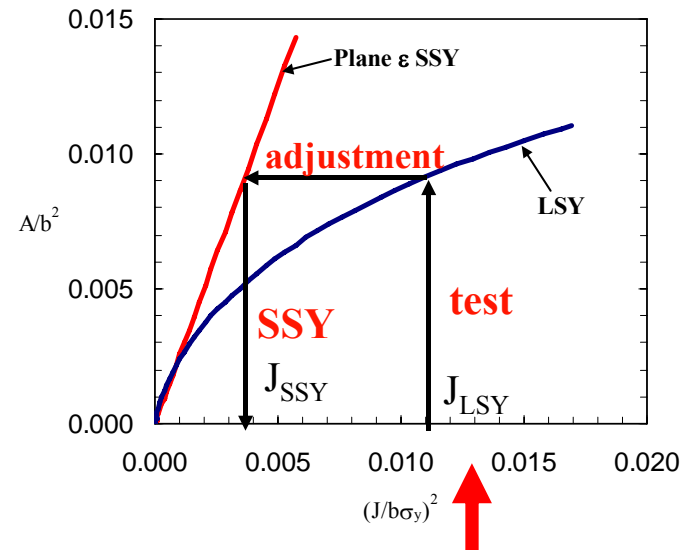
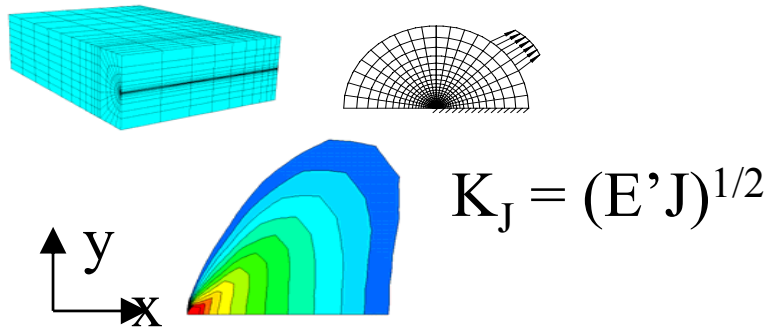
- Rich  $K_{Jm}$  database with targeted effects of both CL and SSV for model based analysis.



Significant constraint loss for  $M$  value greater than 30.

# $K_{Jm} \Rightarrow K_{Jc} \Rightarrow K_{Jr}$ Adjustment

## 1. CL - FE $K_{Jm}/K_{Jc}$ at common $A(\sigma^*)$



## 2. Statistical

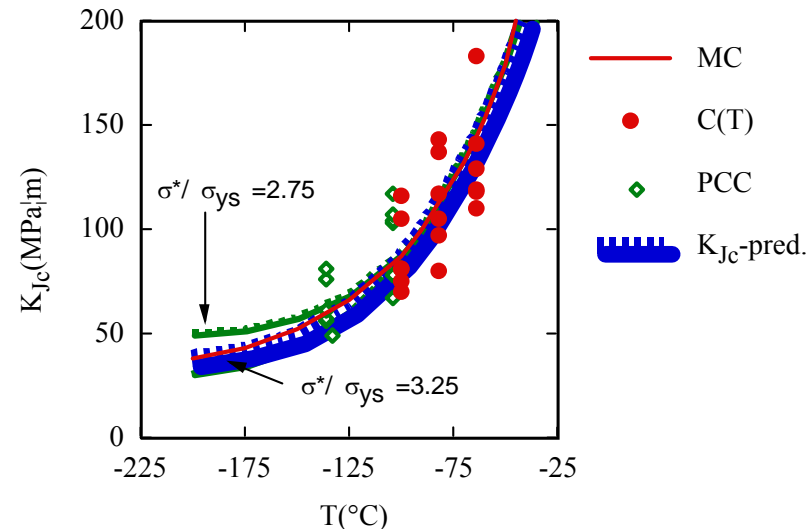
$$P_f(K_I = K_{min}) = 0$$

$$K_{Jr}(B_r) = [K_{Jc}(B) - K_{min}] [B/B_r]^p + K_{min}$$

ASTM E1921  $\rightarrow$  20?

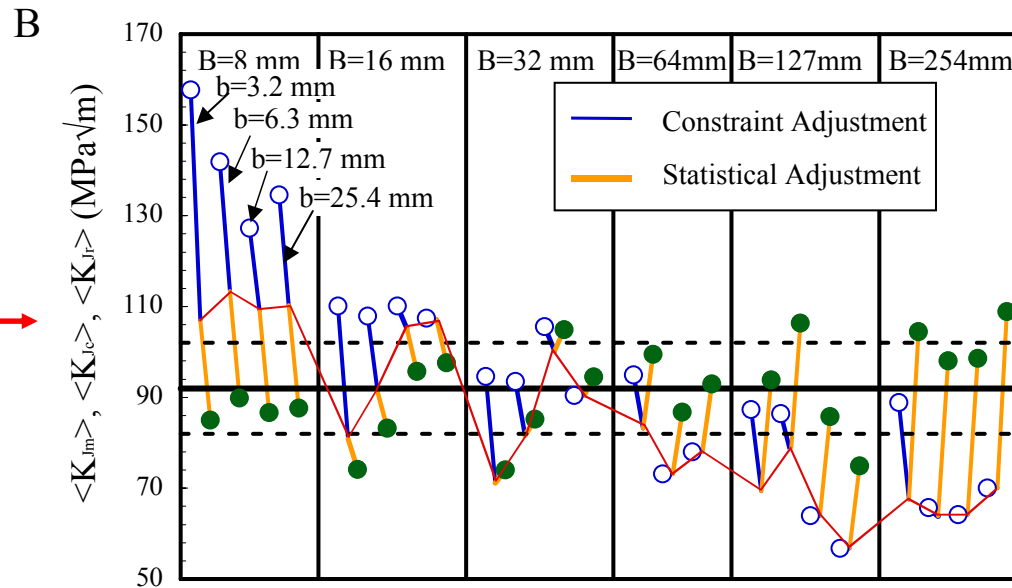
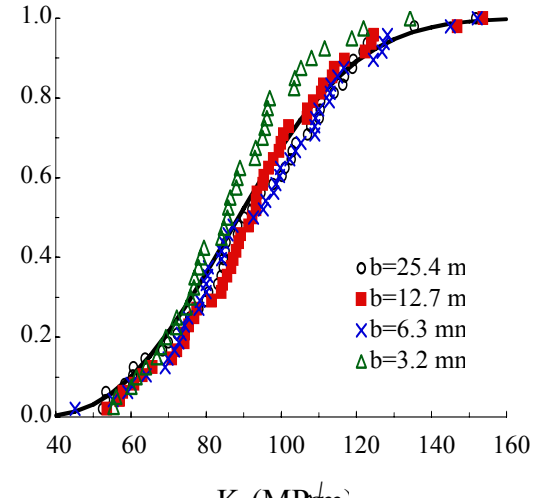
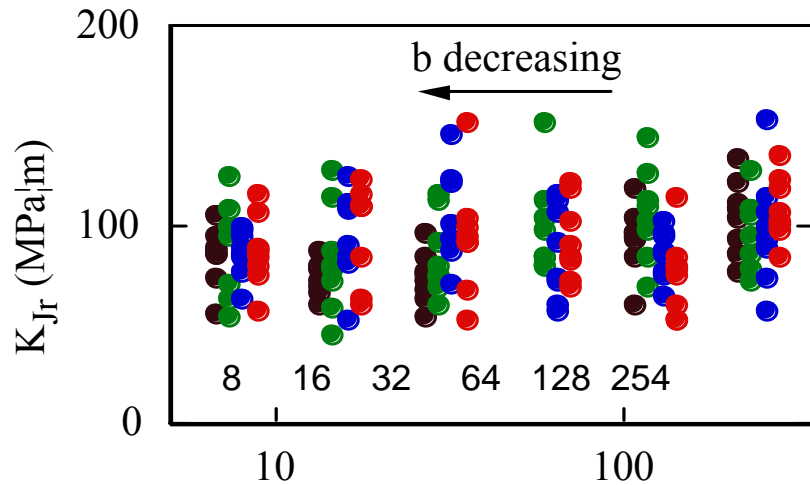
1/4?

Independent calibration  $\sigma^*/\sigma_y = 3$



# Adjusted $K_{Jr}$

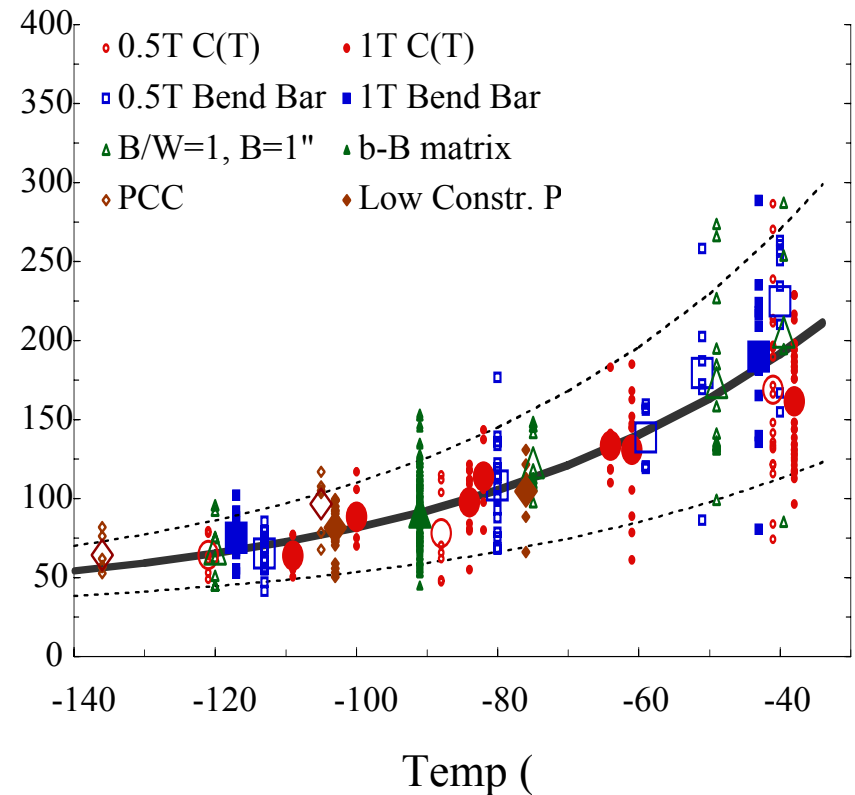
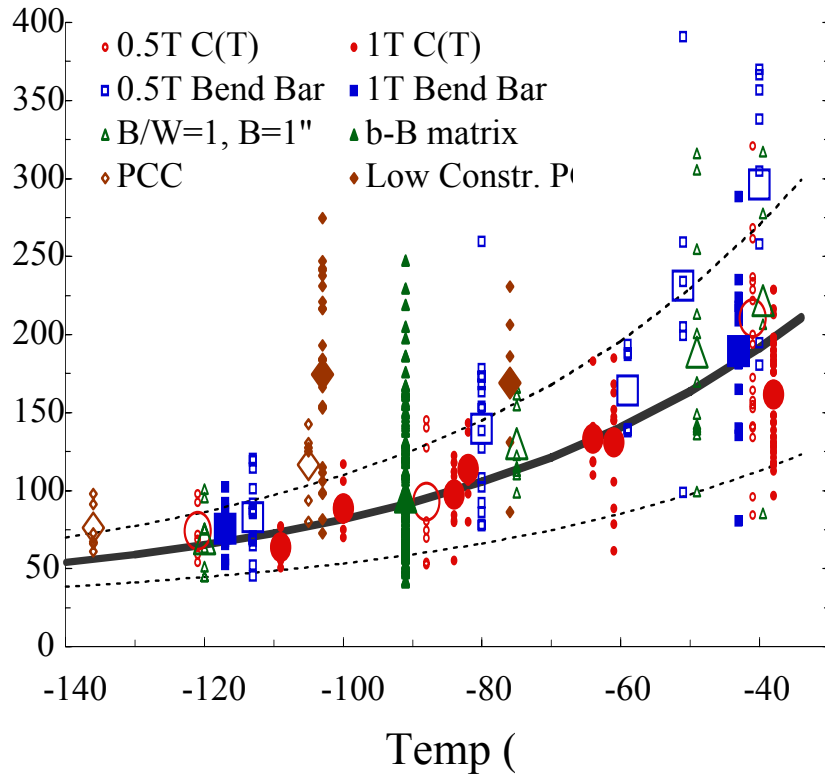
- Approximately single  $K_{Jr}$  population within expected scatter



Decouple  
constraint loss  
and statistical  
effects

# Adjusted Shoreham Database

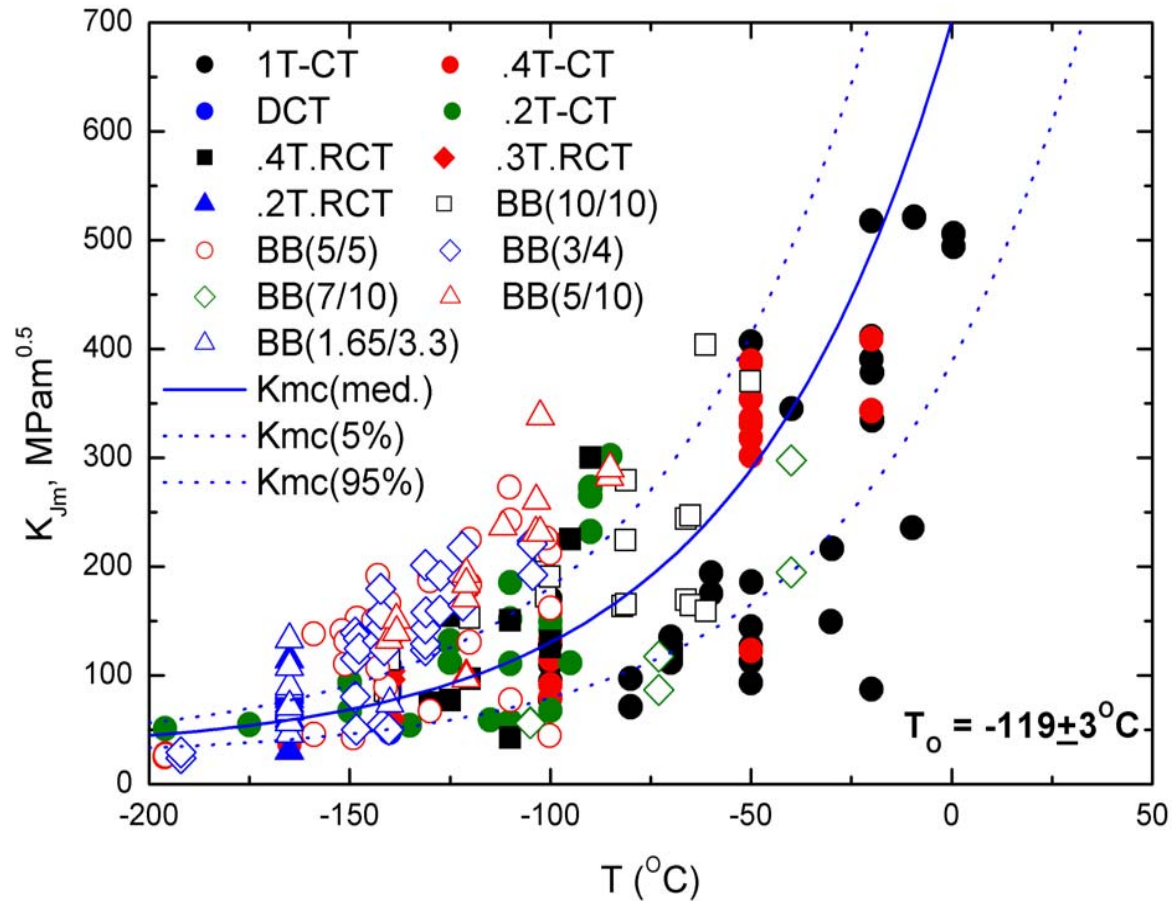
- $K_{Jm} \Rightarrow K_{Jr}$  entire Shoreham database ( $\approx 500$  data points)  
 $\Rightarrow$  master curve  $T_0 = -84^\circ\text{C}$



# Advanced 9Cr tempered martensitic steels

- Since 80s, development of 9/12Cr TM steels within international fusion programs.
- Compositions selected to minimize the long-lived radioactive isotopes produced by neutron fusion transmutation reactions.
- Mo, Nb, Ni replaced by W, V, Mn, Ti.
- **F82H** steel (8Cr2WTa,V), IEA heat
- **Eurofer97** steel, reference steel for blanket of future fusion reactor.
- Growing fracture toughness databases analyzed according to the RPV master-curve methodology.

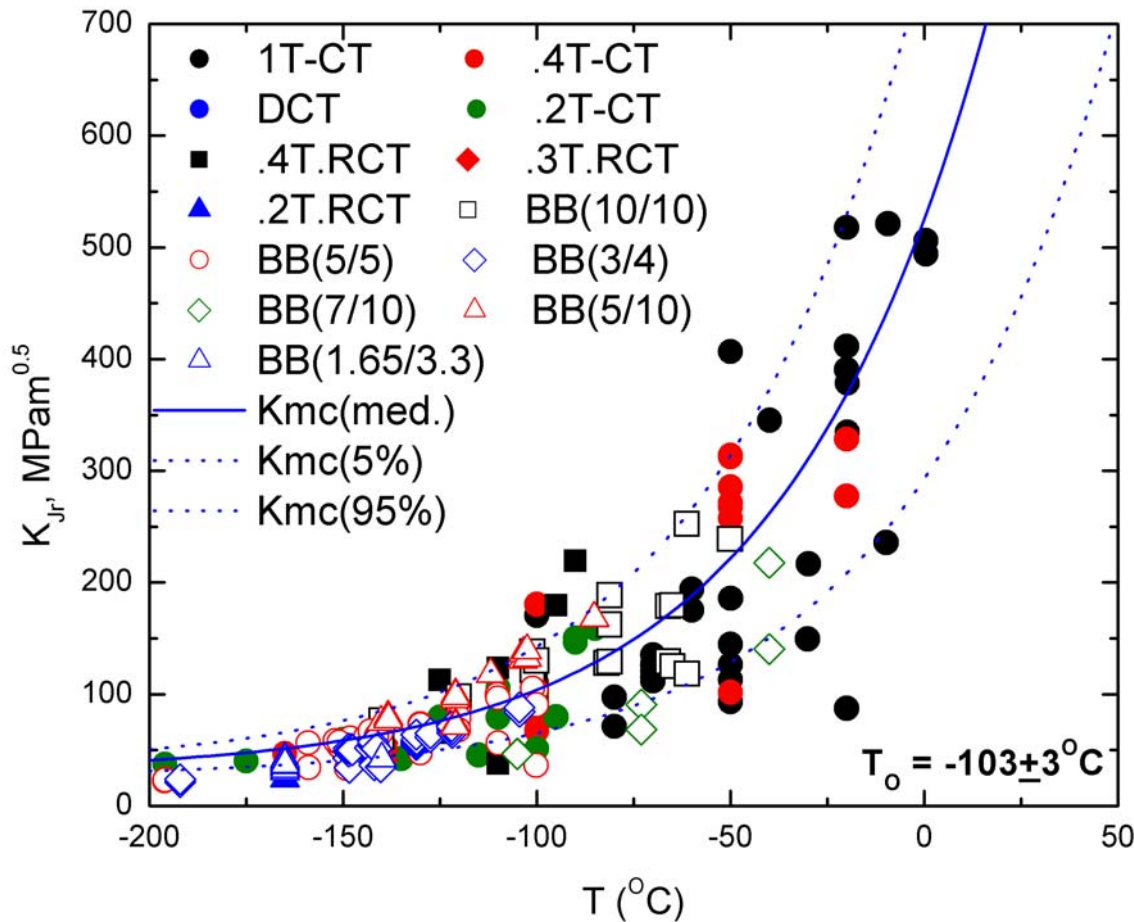
# Toughness database in the transition F82H



Statistical stressed volume adjusted data to 1T, without CL correction

# Fully adjusted F82H database

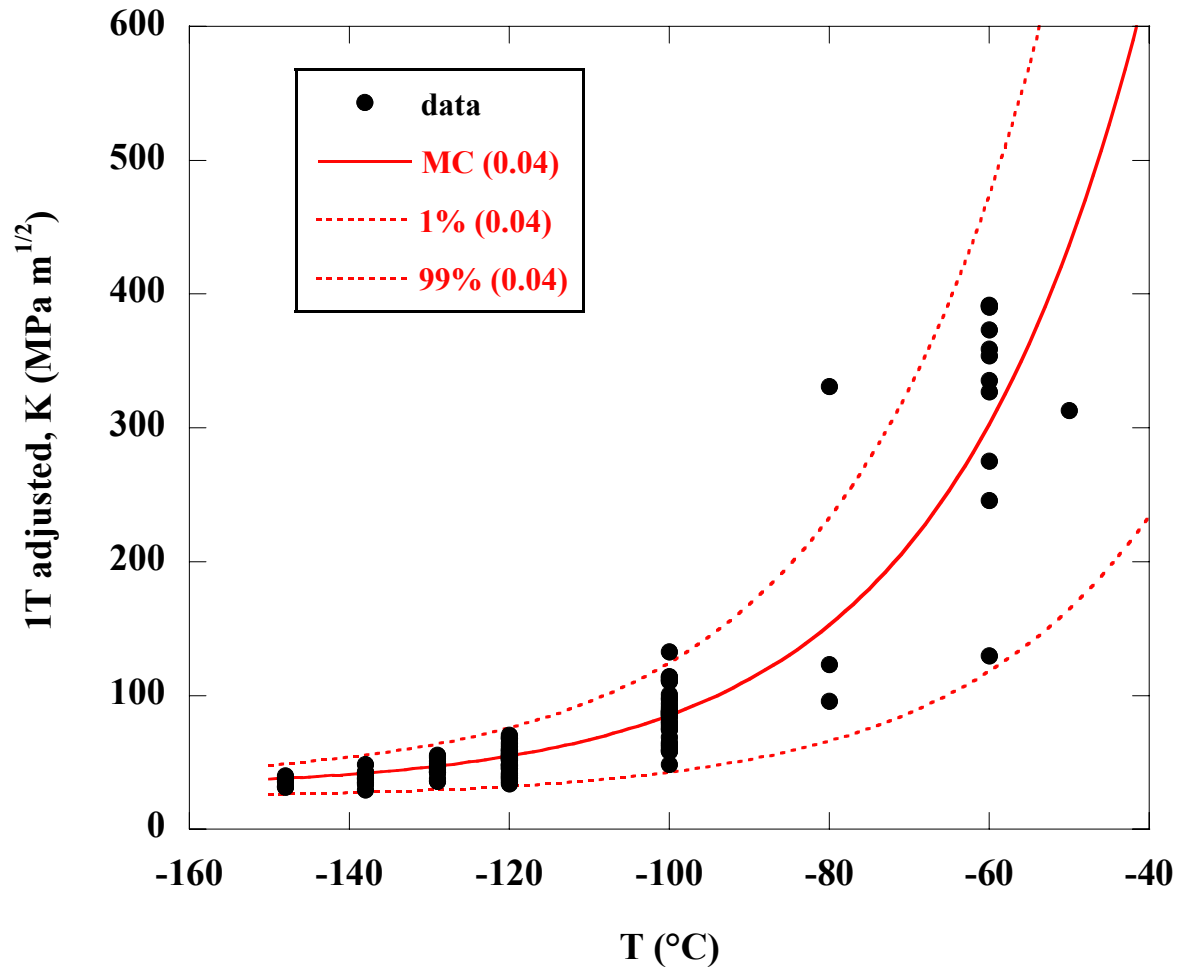
$$K_{Jc(\text{med})} = 30 + 70 \exp((0.019(T-T_o)))$$



Reasonable description of the data and scatter with a RPV-Master Curve indexed at  $T_o = -103^\circ\text{C}$ .

# Eurofer97 toughness in the transition

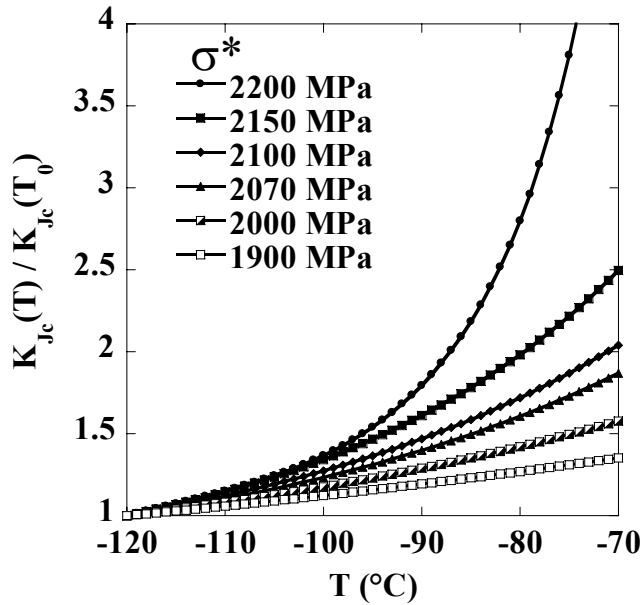
$$K_{Jc(\text{med})} = 30 + 70 \exp((0.04(T-T_0))$$



The K(T) curve appears abnormally steeper than the conventional RPV MC.



# K(T) shape versus microstructure



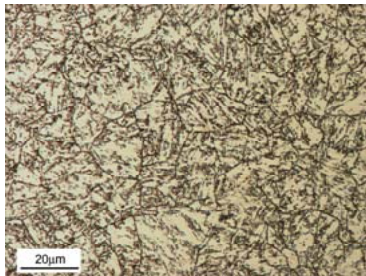
$$K_{Jc(\text{med})} = 30 + 70 \exp((\alpha(T-T_0)))$$

$$\alpha = 0.019 \quad \text{for F82H}$$

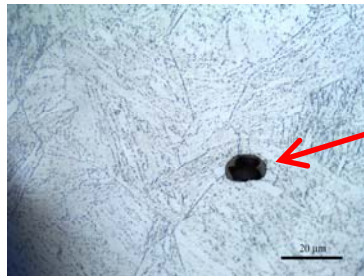
$$\alpha = 0.04 \quad \text{for Eurofer97}$$

K(T) shape mediated by  $\sigma^*$  with:

$$\sigma^*(T) = \frac{CK_\mu(T)}{\sqrt{d}}$$



Eurofer97  
PAG 10 μm



F82H  
PAG 80 μm

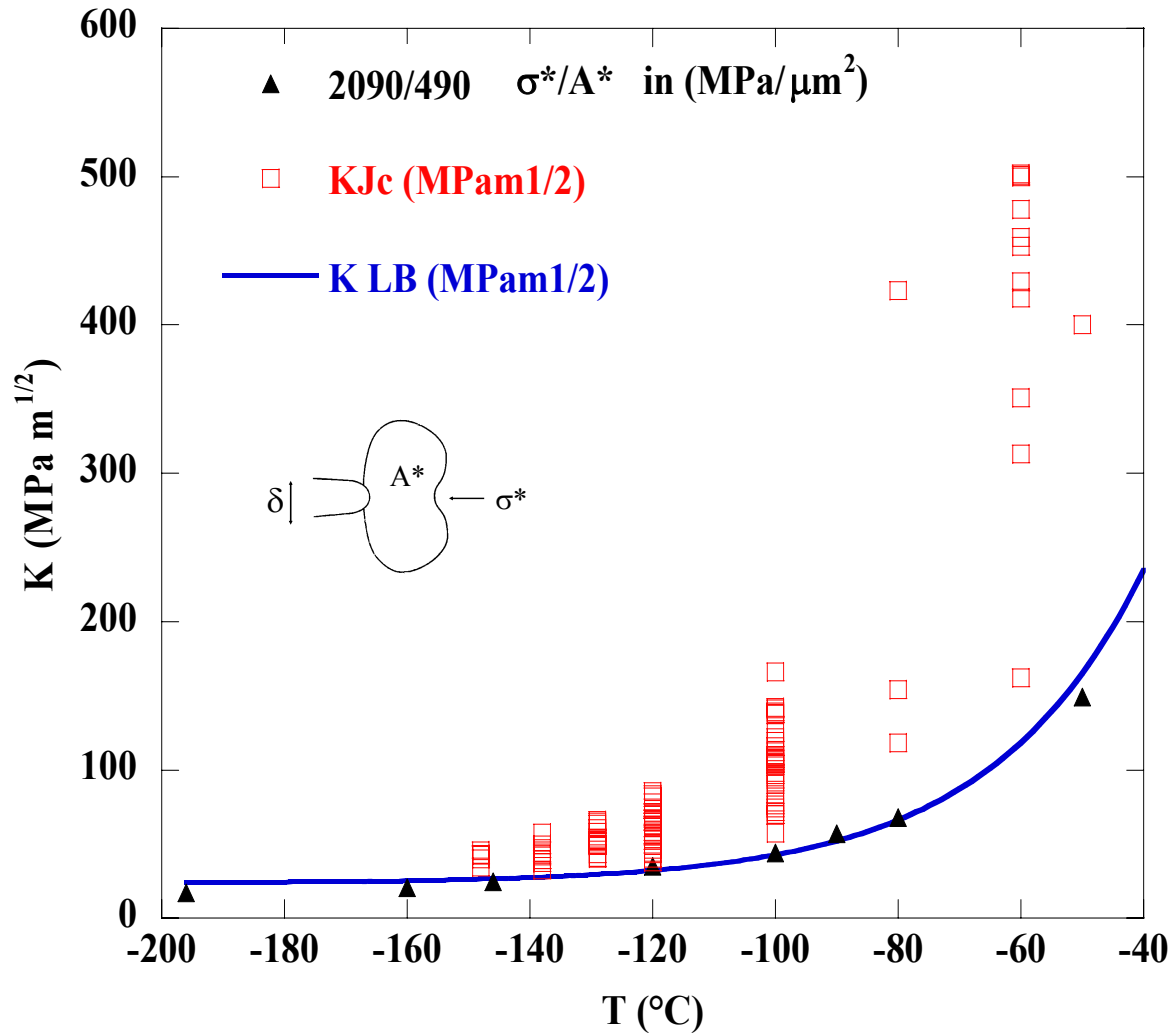
Big inclusions >10 μm in F82H

$$\sqrt{d}_{\text{Eurofer}} < \sqrt{d}_{\text{F82H}} \text{ or } \sigma^*_{\text{Eurofer}} > \sigma^*_{\text{F82H}}$$

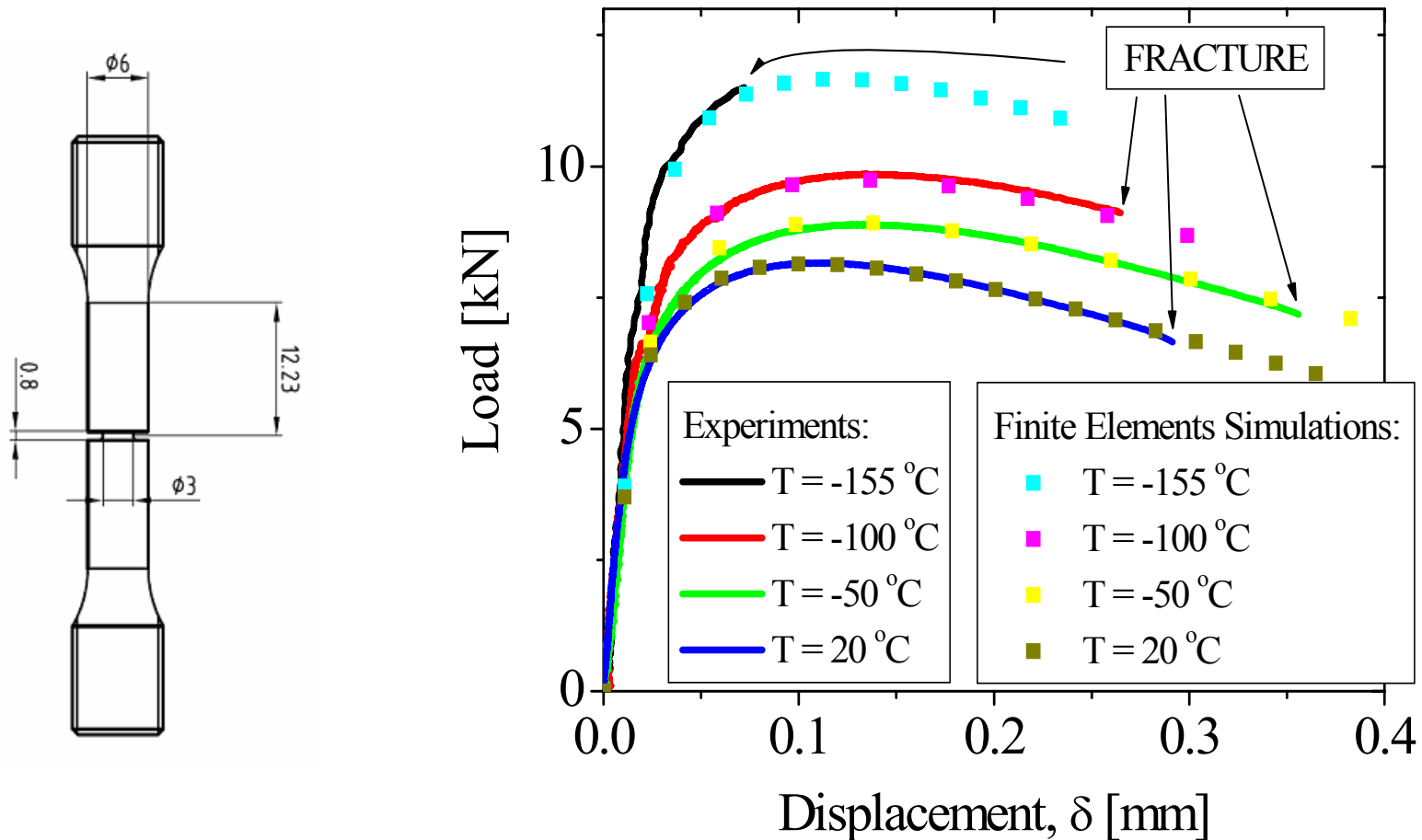


steeper slope for Eurofer97

# Modeling the lower bound – Eurofer97

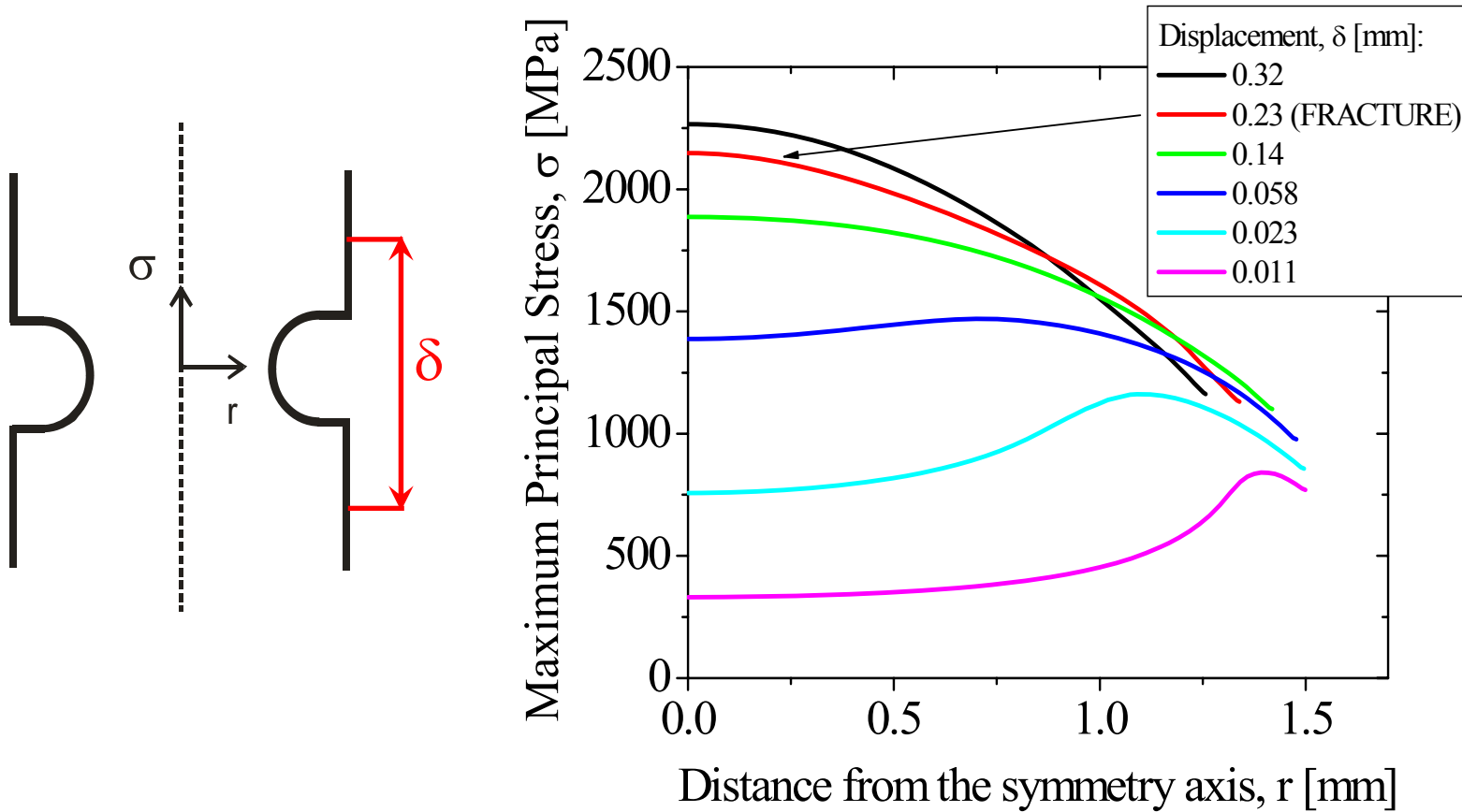


# $\sigma^*$ - $A^*$ criterion applied to notched tensile specimens – Eurofer97.



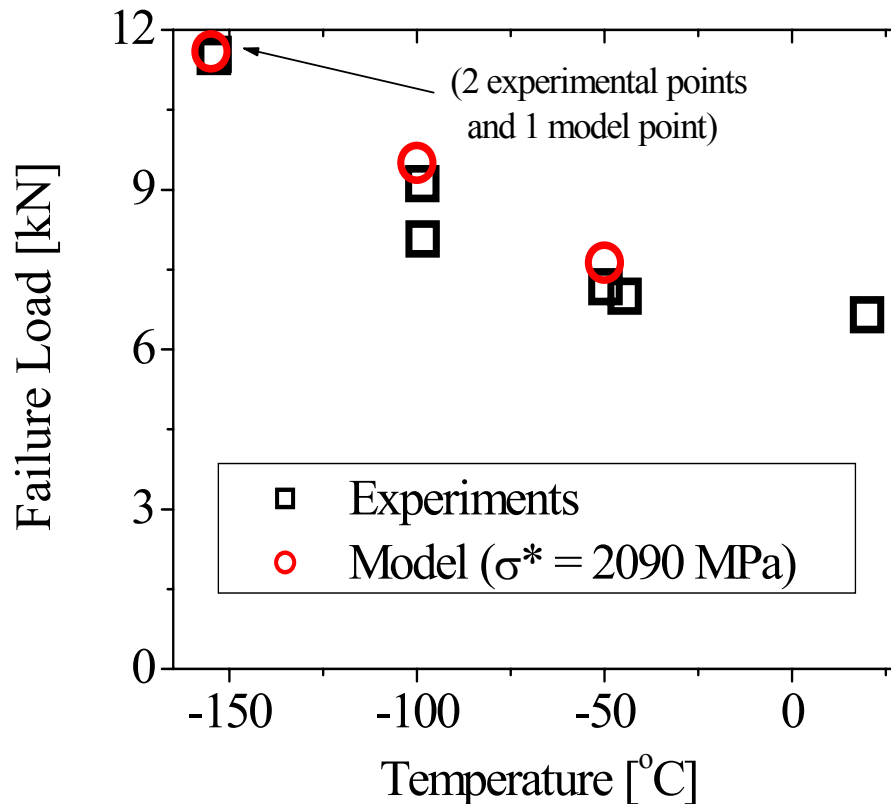
Experimental P- $\Delta$  curves and FE simulations.

# Stress around the notch



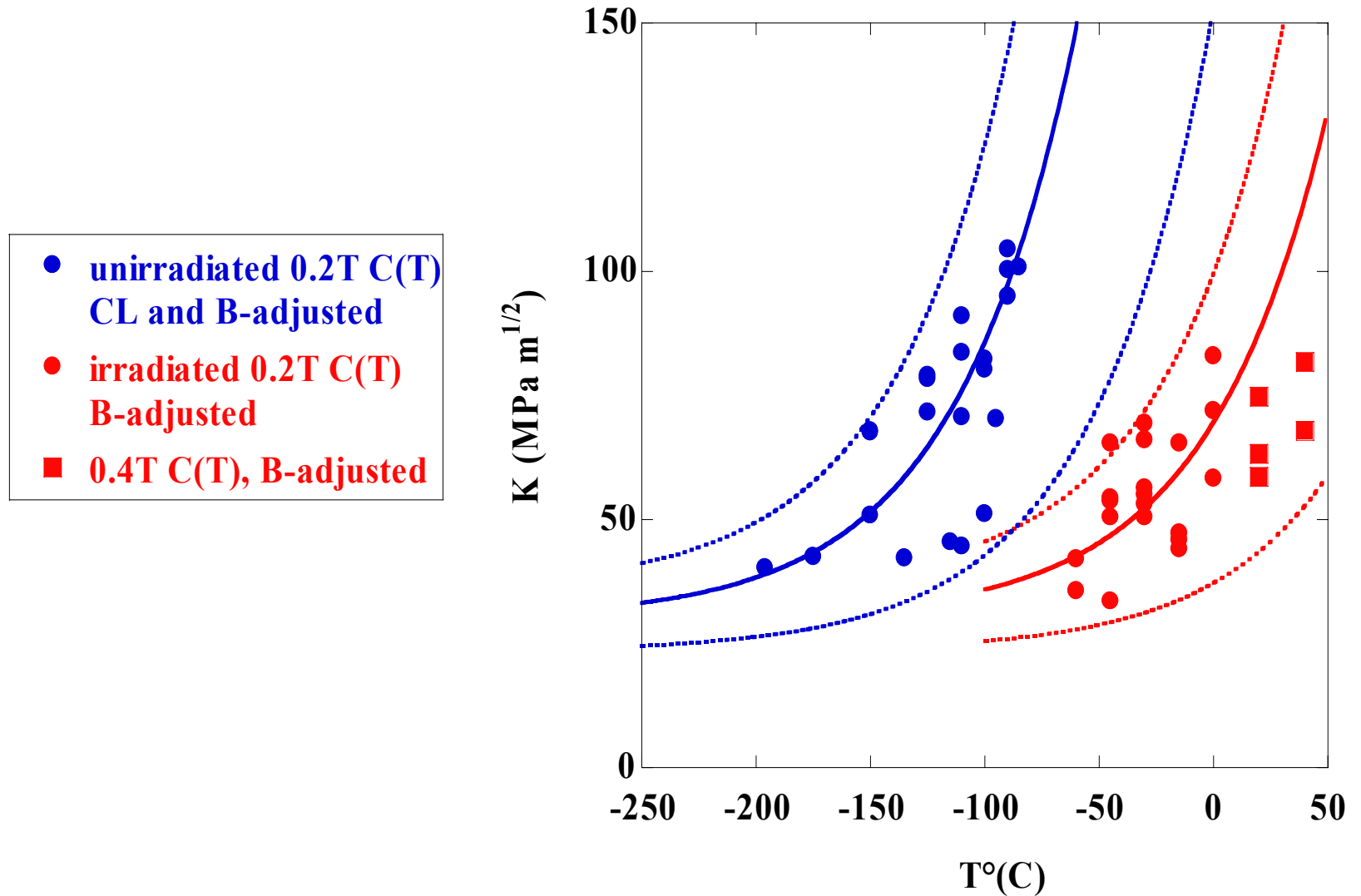
Evolution of the stress profile ahead of the notch with deformation.

# Transferability of the $\sigma^*$ - $A^*$ criterion to notched tensile specimens.



Good prediction of the load/displacement at failure based upon the  $\sigma^*$ - $A^*$  calibrated on the pre-cracked specimens.

# F82H - 60°C irradiation at 2.3 dpa

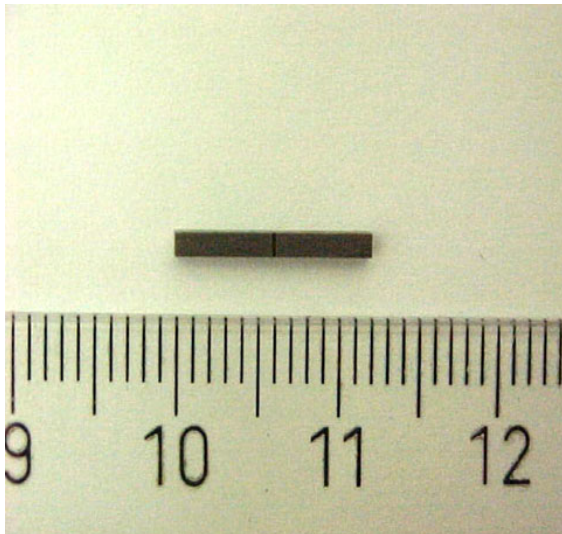


Multi-temperature  $T_0$  determination:  $T_0 = -88^{\circ}\text{C}$     $T_0 = 30^{\circ}\text{C}$

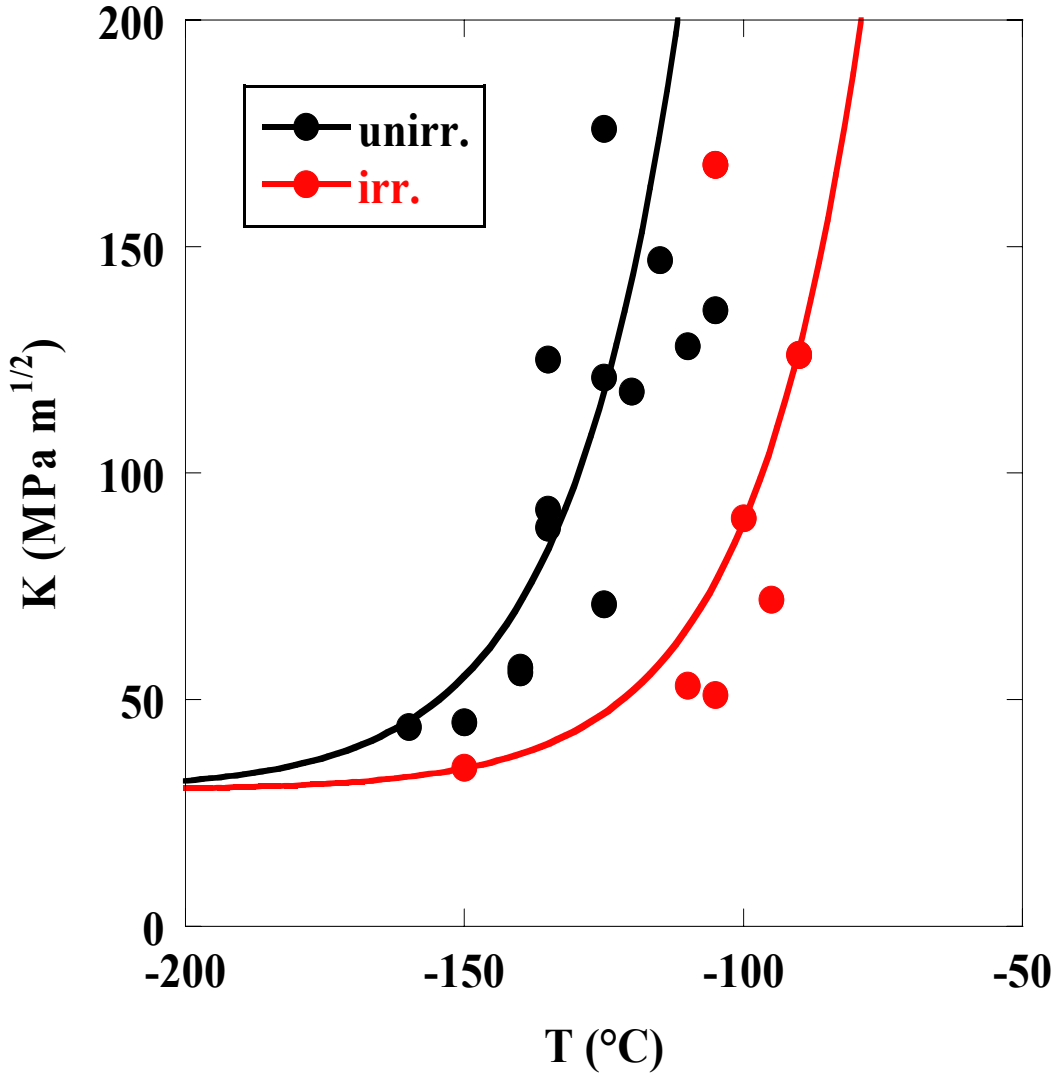
# 350°C proton-irradiation at 0.5 dpa – Eurofer97

1 mm x 1 mm pre-cracked bend bar, nominal  $a/W=0.5$ , have been irradiated with 590 MeV protons He effects studies in a 590 MeV proton spectrum.

Small mass reduces beam heating.



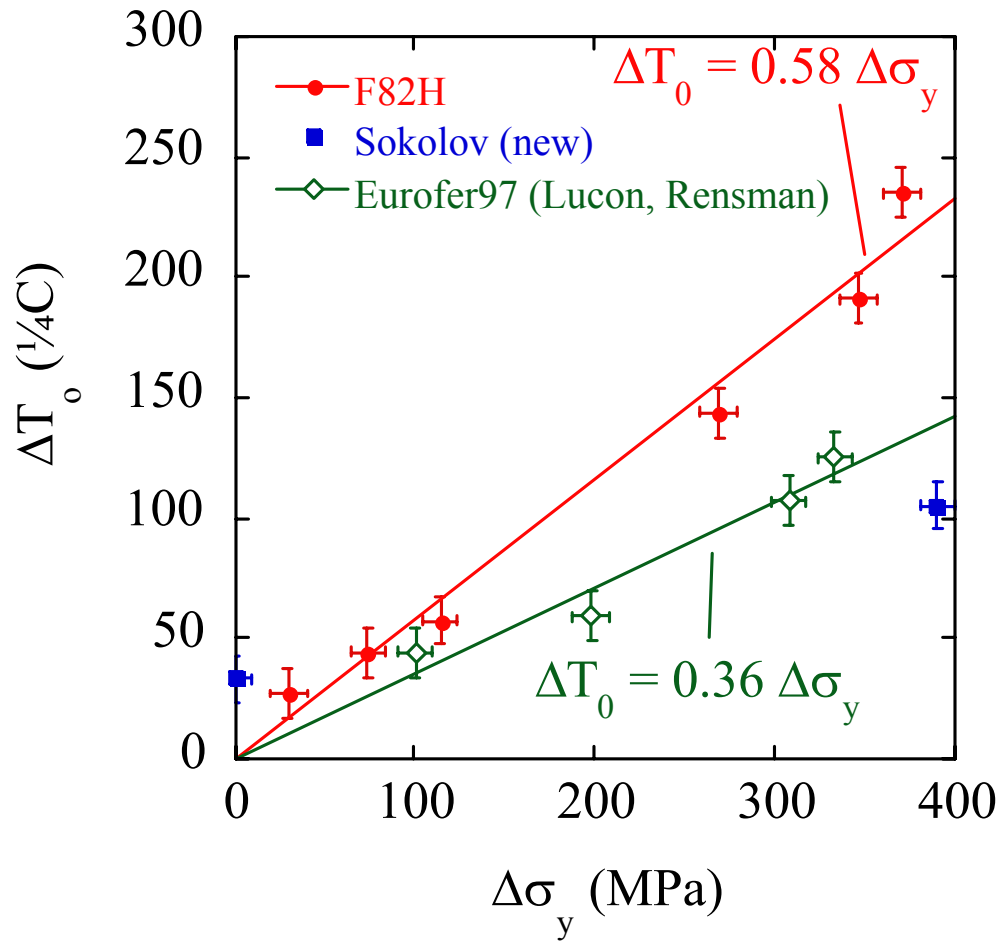
# 350°C proton-irradiation at 0.5 dpa – Eurfoer97



$\Delta T = 30^{\circ}\text{C}$

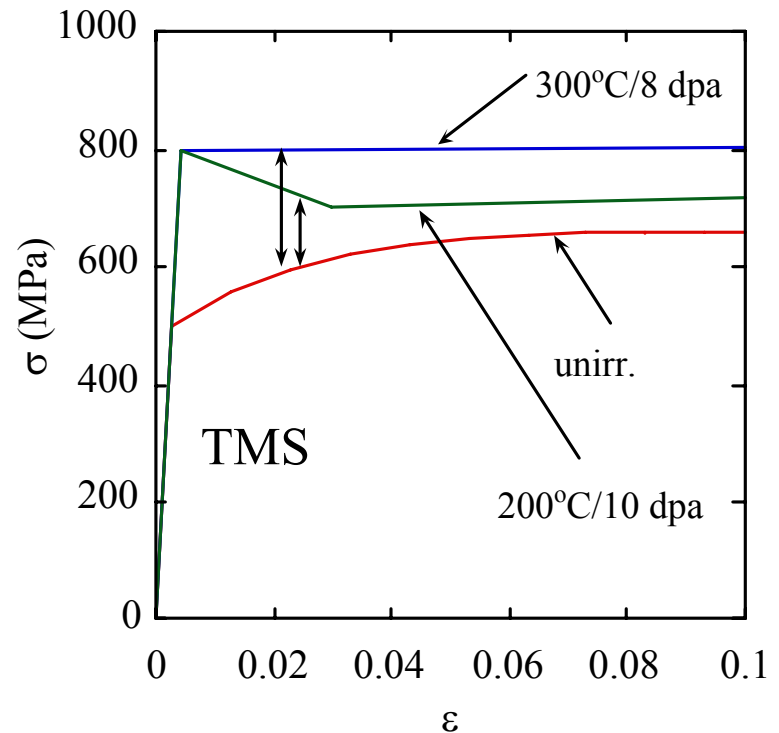
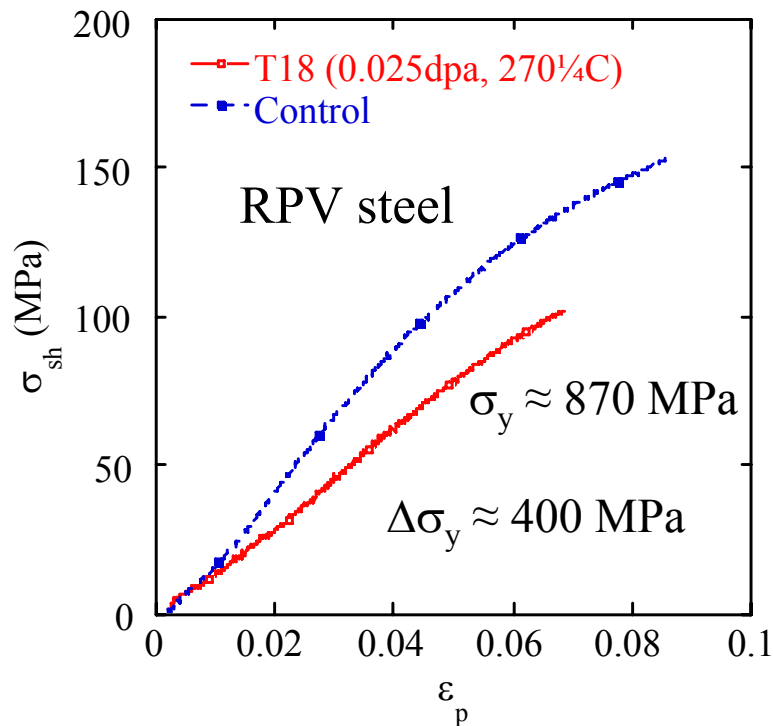


# $\Delta\sigma_y - \Delta T_0$

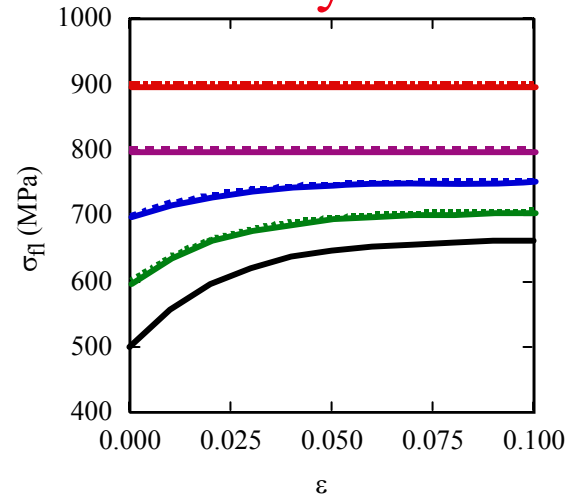
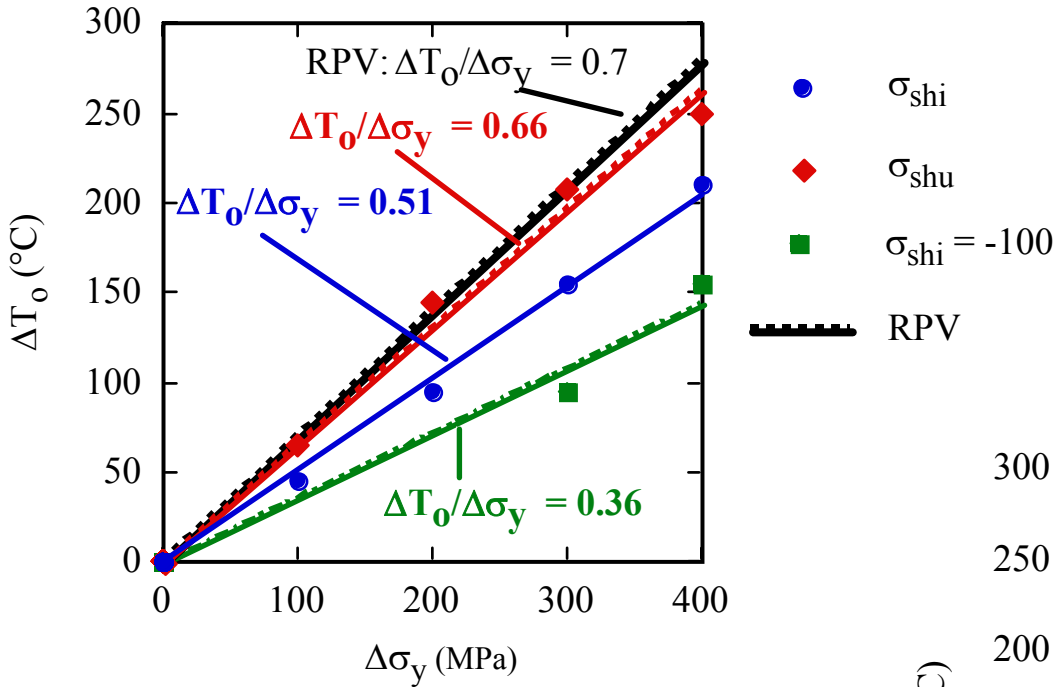


# Strain Hardening Effects

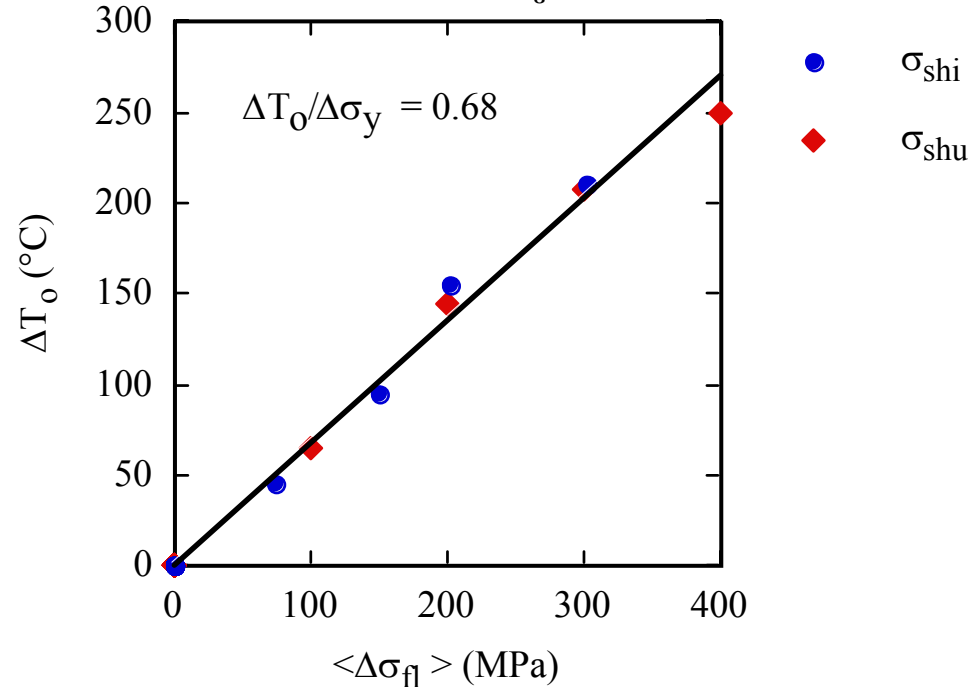
- Effects of irradiation on strain hardening are important
- Minimal  $\sigma_{sh}(\epsilon)$  in low dose RPV steel irradiations:  $\Delta\sigma_y \approx \Delta\sigma_{flow}$
- Large  $\sigma_{sh}(\epsilon)$  decrease/strain softening in high dose TMS alloy irradiations:  $\Delta\sigma_y \gg \Delta\sigma_{flow}$



# Effects of $\Delta\sigma_{sh}$ on $\Delta T_o/\Delta\sigma_y$



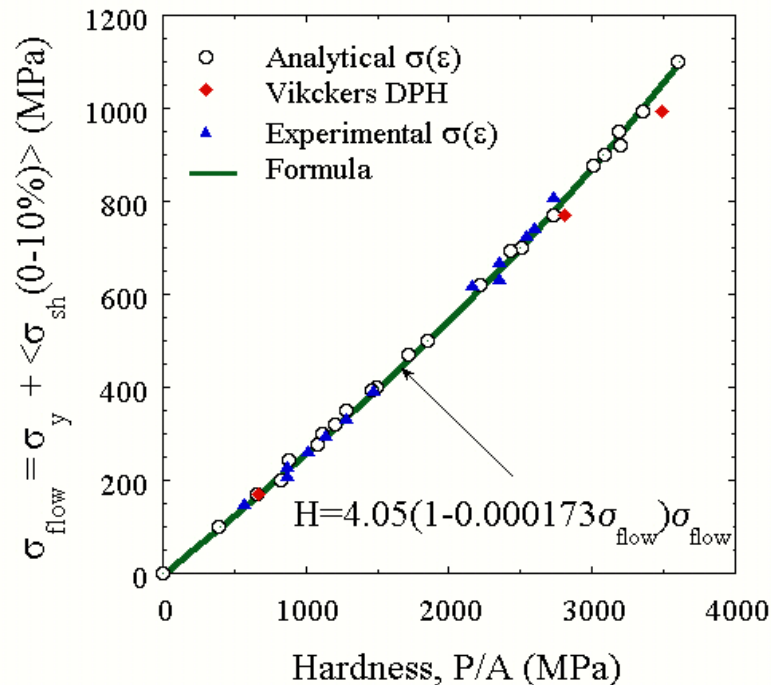
$$\langle\sigma_{fl}\rangle = \sigma_y + \langle\sigma_{sh}\rangle \text{ (0-10\%)}$$



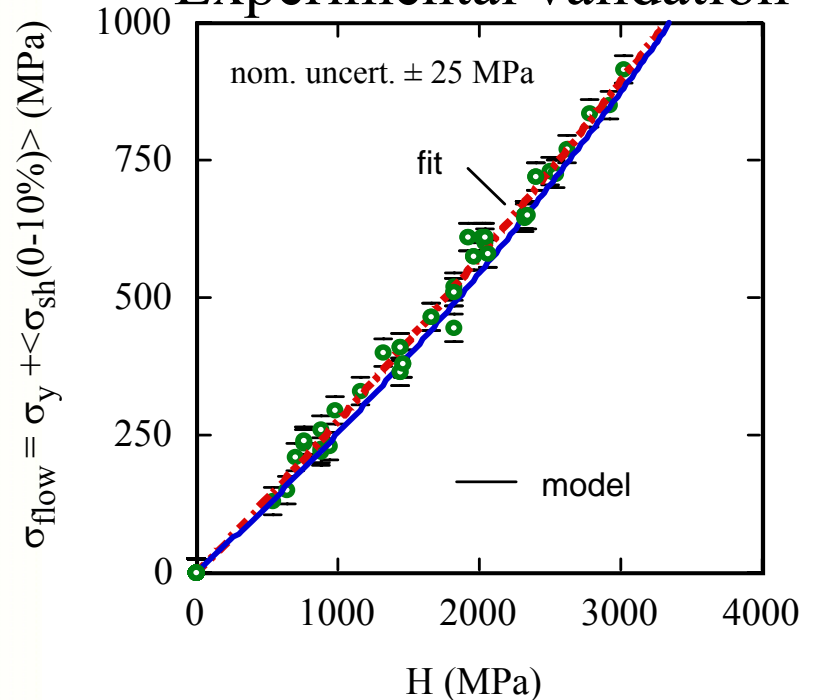
# Universal Hardness Relation

- The average strain hardened flow stress from  $\approx 0$  to  $10\% \epsilon$  is the best measure of local “strength” in the process zone
- FE simulations and experiments on materials with an enormous range of  $s(\epsilon)$  laws shows  $H$  also is closely related to average strain hardened flow stress from  $\approx 0$  to  $10\% \epsilon$

FE simulation



Experimental validation



# Summary

- Measured fracture toughness  $K_{Jm}$  on usual laboratory specimens is mediated by statistical and constraint loss effect associated with specimen sizes and crack length.
- The individual and coupled CL and SSV effects on  $K_{Jm}$  were discussed.  $K_{Jm}$  were adjusted to a reference  $K_r$  in SSY with a two step adjustment procedure: i) CL are first account for with a  $\sigma^*$ - $V^*$  calibrated model, ii) the statistical effects are considered with a  $K_{min}$ -modified criterion of equivalent stressed volume.
- The critical stress  $\sigma^*$  to propagate a microcrack scales with the arrest toughness of the ferritic matrix  $K_\mu$ .
- $K_\mu$  was shown to be T-dependent with Fe single crystal initiation and arrest fracture toughness experiments.

# Summary

- The dynamics of cleavage of Fe single cleavage mimics that of thermally-activated motion of dislocations.
- The  $K_a$ , hence,  $\sigma^*$  temperature dependence result in the approximate invariance of the MC  $K_{Jc}(T-T_o)$  shape.
- Application of the master-curve methodology to advanced high-Cr tempered martensitic steels is a very promising approach.
- There are many unresolved issues including differences in the MC shape, shallow crack effects, specimen constraint-size limits especially for irradiation testing, non-hardening embrittlement including possible He effect, etc...